

A Study on the Speed Control of the Diesel
Engine with a Digital Governor

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A Study on the Speed Control of the Diesel Engine with a Digital Governor

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Abstract

The marine propulsion diesel engine with mechanical-hydraulic governor has been widely used to control the engine speed.

But these days, marine propulsion diesel engine tends to become slower in speed and longer in stroke for higher engine efficiency, so it leads to difficulty for the mechanical-hydraulic governor to regulate the speed of high power engine with long stroke and low speed, because of the jiggling caused by rough fluctuation of rotating torque and the hunting by long dead time occurred in fuel combustion process.

To cope with these difficulties, engine manufacturers highly recommend to adopt digital governor for the longer stroke and slower speed engine.

Most of the digital governors adopt the feedback control method in

which the only engine rpm-signal is used, but it does not work effectively when the load variation occurs.

In this paper, the author considers the perturbation of engine parameters as the modeling uncertainties and designs not only the robust speed controller but fuzzy speed controller for the engine.

Through the computer simulation, the performances of both controllers are compared and reviewed.

Nomenclature

- A : System matrix of the plant.
- B : Control matrix of the plant.
- B_1, B_2 : Control matrix of the generalized plant.
- C : Output matrix of the plant.
- C_1, C_2 : Output matrix of the generalized plant.
- D : Used for disturbance matrix, diagonal scaling matrix and the output matrix.
- D_{11}, D_{12} : Output matrix of the generalized plant.
- E : Matrix related to noise.
- e : Error signal vector.
- $F(s)$: Transfer function matrix of the feedforward controller.
- $F(z)$: Bilinear transformation of the $F(s)$.
- $F_l(G, K)$: Lower linear fractional transformation of the generalized plant and the controller.
- $G(s)$: Transfer function matrix of the generalized plant.
- $G_c(s)$: Transfer function matrix of the combustion subsystem.
- $G_{ed}(s)$: Transfer function matrix of the plant from the disturbance d to the error signal e .

- $G_{er}(s)$: Transfer function matrix of the plant from the reference input r to the error signal e .
- $G_r(s)$: Transfer function matrix of the rotational subsystem.
- $G_{yr}(s)$: Transfer function matrix of the plant from the reference signal r to the signal y .
- H_∞ : The set of asymptotically stable transfer functions X , with $\|X\|_\infty < \infty$
- $K(s)$: Transfer function matrix of the controller.
- $K(z)$: Bilinear transformation of the $K(s)$.
- K_a : Gain of the actuator.
- $K_c(s)$: Gain of the combustion subsystem.
- $K_e(s)$: Gain of the experimental engine.
- $K_r(s)$: Used for both gain of the rotational subsystem and gain related to fuel pump rack index of the engine.
- $K_s(s)$: Gain related to error speed signal of the engine.
- $\hat{K}(s)$: Transfer function matrix of the controller from the modified H_∞ control problem.
- $\mathbb{K}_s(P_{nom})$: Class of the robust servo controller.
- $L(s)$: The loop transfer function matrix of the plant.

- L_∞ : The set of all proper transfer functions X , with
 $\|X\|_\infty < \infty$.
- m_1 : Number of exogenous inputs, i.e., the size of w .
- m_2 : Number of control inputs, i.e., the size of u .
- n : Number of modeling uncertainties.
- n_c : Number of cylinders.
- n_e : Revolution per minute of the engine.
- $P(s)$: Transfer function matrix of the plant.
- $P_{nom(s)}$: Transfer function of the nominal plant.
- $P_{real(s)}$: Transfer function of the real plant.
- RH_∞ : Set of proper and stable real rational transfer functions.
- R : Vector space of real matrices.
- R^{m_1} : Vector space of m_1 real matrices.
- R^{m_2} : Vector space of m_2 real matrices.
- R^{p_1} : Vector space of p_1 real matrices.
- R^{p_2} : Vector space of p_2 real matrices.
- $R_p^{m_2 \times p_2}$: Vector space of $m_2 \times p_2$ real matrices.
- r : Reference signal vector.

- $S(s)$: Sensitivity transfer function.
- s : Used for both Laplace operator, complex frequency
 $s = \sigma + j$.
- $T(s)$: Complementary sensitivity transfer function.
- T_c : Time constant of combustion subsystem.
- T_{dl} : Delay time of fuel injection system.
- T_e : Time constant of the engine.
- $T_{zw}(s)$: Closed-loop transfer function matrix from the signal
 w to the signal z .
- u : Control input signal vector.
- $U(s)$: Laplace transform of u .
- v : Observed noise.
- $W_s(s)$: Frequency weighting function to the sensitivity transfer
function.
- $W_t(s)$: Frequency weighting function to the complementary
sensitivity transfer.
- $\widehat{W}_s(s)$: Modified Frequency weighting function to the sensitivity
transfer function.
- w : Exogenous input signal vector.
- x : State vector.

- \dot{x} : Differential of state vector x .
- y : Measured output signal vector.
- y_p : Output signal of plant.
- \hat{y} : Error signal between exogenous input signal and plant output signal.
- z : Used for both controlled output signal vector, and the delay operator.
- $\alpha(s)$: Transfer function of filter.
- α, β : Constants.
- $\Delta(s)$: Assumed block of uncertainties.
- σ, ρ : Constants.
- Θ : Null vector.
- $\alpha(s)$: Laplace transformation of angular speed of the engine.
- ω : Angular frequency.
- ω_0 : Angular speed of the engine.

1

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가

가

.1)

PI

2), PID

3),

4)

(robustness)

H

5

, 1

2

, 3
.
4
5

2

2.1

D
가

4
Table

2.1

Table 2.1 Specification of experimental engine

	4
	1200[rpm]
	145[mm]
	200[mm]
	17.5
	100[bhp]

가

(2.1)

$$T_{dl} = \frac{30}{n_e n_c} + \frac{15}{n_e} \quad (2.1)$$

$$(600 \sim 800[\text{rpm}]) \quad (2.1)$$

T_d 0.038 ~ 0.028[sec]

가

1

가

Fig.2.1

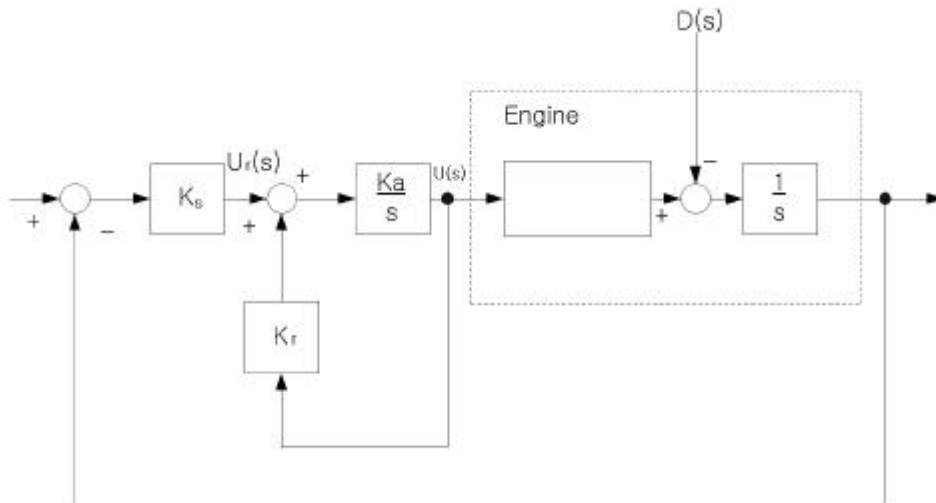


Fig.2.1 Control system for the experimental engine

K_s , K_r , $R(s)$

Fig.2.1 Engine

$$\frac{\omega_o(s)}{U(s)} = \frac{K_e}{s(1 + T_e s)} \quad (2.2)$$

가 , 600, 700, 800[rpm]

$$(2.2) \quad K_e, T_e ,$$

2.2

(600- 800[rpm])

$$\cdot \quad (2.1)$$

1

가

$$\omega_o(s) = \frac{1}{s} (M_e(s) - M_L(s)) \quad (2.3)$$

1 , Fig.2.1

Fig.2.1 r o

$$\frac{o}{r} = \frac{K_a K_s K_e / T_e}{s^3 + (K_a K_r + 1/T_e) s^2 + (K_e K_r / T_e) s + K_a K_s K_e / T_e} \quad (2.4)$$

. Rr(s) o

$$\frac{o(s)}{R_r(s)} = \frac{K_r K_a K_e / T_e}{s^3 + (K_a K_r + 1/T_e) s^2 + (K_e K_r / T_e) s + K_a K_s K_e / T_e} \quad (2.5)$$

. o

$$o(s) = \frac{K_a K_s K_e / T_e \cdot r(s) + K_r K_a K_e / T_e \cdot R_r(s)}{s^3 + (K_a K_r + 1/T_e) s^2 + (K_e K_r / T_e) s + K_a K_s K_e / T_e} \quad (2.6)$$

Fig.2.1

700[rpm]

750[rpm]

Fig.2.2

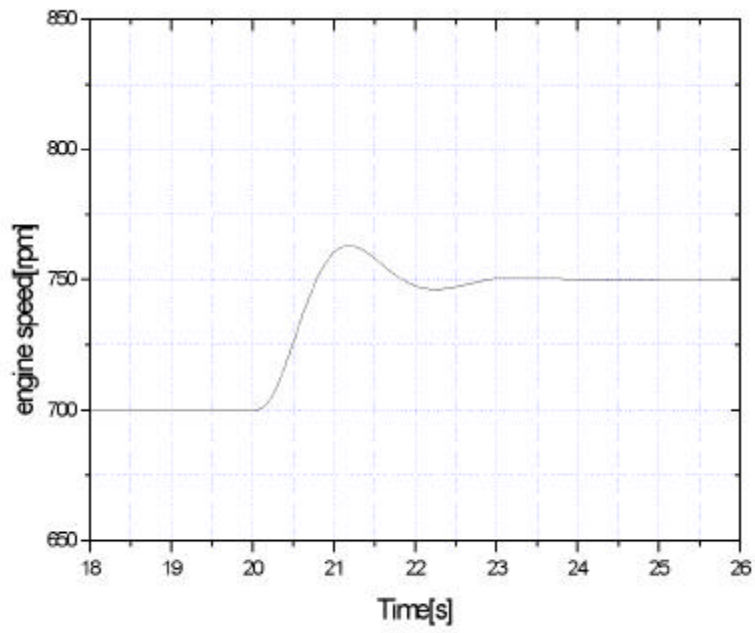


Fig.2.2 Step response of the closed loop system

가 (2.6) 가 3 , Fig.2.2

2

(2.6) 2

Fig.2.1 Kr

Ur(s)

U(s)

$$\frac{U(s)}{U_r(s)} = \frac{K_a/s}{1 + (K_a K_r/s)} = \frac{K_a}{s + K_a K_r} \quad (2.7)$$

$$(2.7) \quad 1/K_r$$

o

$$o(s) = \frac{\frac{K_s K_e}{K_r T_e} \cdot r(s) + \frac{K_e}{T_e} \cdot R_r(s)}{s^2 + \frac{1}{T_e} s + \frac{K_s K_e}{K_r T_e}} \quad (2.8)$$

$$(2.8) \quad \frac{K_e, T_e}{s^2 + 2\zeta \omega_n s + \omega_n^2} \quad \text{Fig.2.1}$$

()

ζ

() n

$$t(n) = \frac{n\pi}{\omega_d} \quad (n=0, 1, 2, \dots) \quad (2.9)$$

ω_d

ω_n

$$w_d = w_n \sqrt{1 - \zeta^2} \quad (2.10)$$

() (2.8)

$$o(0) = \frac{\frac{K_s K_e}{K_r T_e} \cdot r(s) + \frac{K_e}{T_e} \cdot R_r(s)}{\frac{K_s K_e}{K_r T_e}} \quad (2.11)$$

() (2.8) Fig.2.2

$$1/T_e = 2\zeta w_n \quad (2.12)$$

$$\frac{K_s K_e}{K_r T_e} = w_n^2 \quad (2.13)$$

() () $\frac{K_e T_e}{K_r T_e} \quad (2.7)$

(2.14) ,

$$\frac{\alpha \cdot K_e}{1 + \beta \cdot T_e s} = \frac{K'_e}{1 + T'_e s} \quad (2.14)$$

, Ks, Ka, Kr

Table 2.2 The parameters of the experimental engine

No	[rpm]	K_e	T_e
p.1	600 \Rightarrow 550	2.6157	0.2042
p.2	600 \Rightarrow 650	2.5313	0.1872
p.3	650 \Rightarrow 600	2.5465	0.1746
p.4	650 \Rightarrow 700	2.5013	0.1784
p.5	700 \Rightarrow 650	2.4200	0.1733
p.6	700 \Rightarrow 750	2.4148	0.1580
p.7	750 \Rightarrow 700	2.3707	0.1683
p.8	750 \Rightarrow 800	3.3536	0.1549
p.9	800 \Rightarrow 750	2.3172	0.1487
p.10	800 \Rightarrow 850	2.2305	0.1418

3

3.1 H_∞

1980 G. Zames H

가 . 1988 K.

Glover J. C. Doyle

Glover- Doyle .6)

2

가

H 7) 10) .

3.1.1 H_∞

H - (norm)

가

Fig.3.1 , , G(s)
K(s) . y(s), z(s), w(s), u(s)

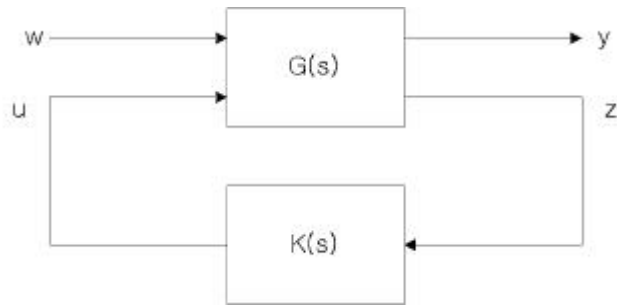


Fig.3.1 Generalized control system

$$z(s) = \begin{bmatrix} G_{11}(s) & G_{12}(s) \\ G_{21}(s) & G_{22}(s) \end{bmatrix} \begin{bmatrix} w(s) \\ u(s) \end{bmatrix}$$

$$z = T_{zw}(G, K)w \quad (3.1)$$

$$T_{zw}(G, K) = G_{11} + G_{12}K(I - G_{22}K)^{-1}G_{21}$$

(linear fractional transformation) $T(G, K)$

H_∞ norm $\|T_{zw}(G, K)\|_\infty < \gamma$ 가 되도록 하는 $K(s)$ 를 찾는 문제.

$$\|T_{zw}(G, K)\|_\infty < \gamma \quad (3.2)$$

$K(s)$ 가 존재하는 조건.

$$\begin{aligned}
 \dot{x} &= Ax + B_1 w + B_2 u \\
 z &= C_1 x + D_{11} w + D_{12} u \\
 y &= C_2 x + D_{21} w + D_{22} u
 \end{aligned}
 \tag{3.3}$$

가, K(s)가 가

- A1 : (A, B_2) 가 , (C_2, A) 가
- A2 : $rank D_{21} = m_2$ (D_{12} 가 full rank)
- A3 : $rank D_{21} = p_2$ (D_{21} 가 full rank)
- A4 : $rank \begin{pmatrix} A - j\omega I & B_2 \\ C_1 & D_{12} \end{pmatrix} = n + m \forall \omega \in [0, \infty]$
- A5 : $rank \begin{pmatrix} A - j\omega I & B_1 \\ C_2 & D_{21} \end{pmatrix} = n + p \forall \omega \in [0, \infty]$
- A6 : $D_{22} = 0$
- A7 : $D_{12} = \begin{pmatrix} 0 \\ I \end{pmatrix}, D_{21} = (0 \ I)$

$$\tag{3.2} \quad T_{zw}(G,K)$$

Fig.3.2

w e S(s), w

$$P(s) \quad y_p \quad T(s) \quad ,$$

$$L(s) \quad L(s), S(s), T(s) \quad .$$

$$L(s) = P(s)K(s) \quad (3.4)$$

$$S(s) = [I + L(s)]^{-1} \quad (3.5)$$

$$T(s) = L(s)[I + L(s)]^{-1} = I(s) - S(s) \quad (3.6)$$

$$S(s) \quad ,$$

$$T(s)$$

$$S(s) \quad T(s)$$

$$(3.6)$$

$$W_s(s), W_t(s) \quad ,$$

Fig.3.2

$$\left\| \begin{bmatrix} W_s(s) S(s) \\ W_t(s) T(s) \end{bmatrix} \right\|_{\infty} < \quad (3.7)$$

$$K(s) \quad .$$

$$(3.7) \quad = 1 \quad \text{Glover-Doyle}$$

$$H_{\infty} \quad K(s) \quad .$$

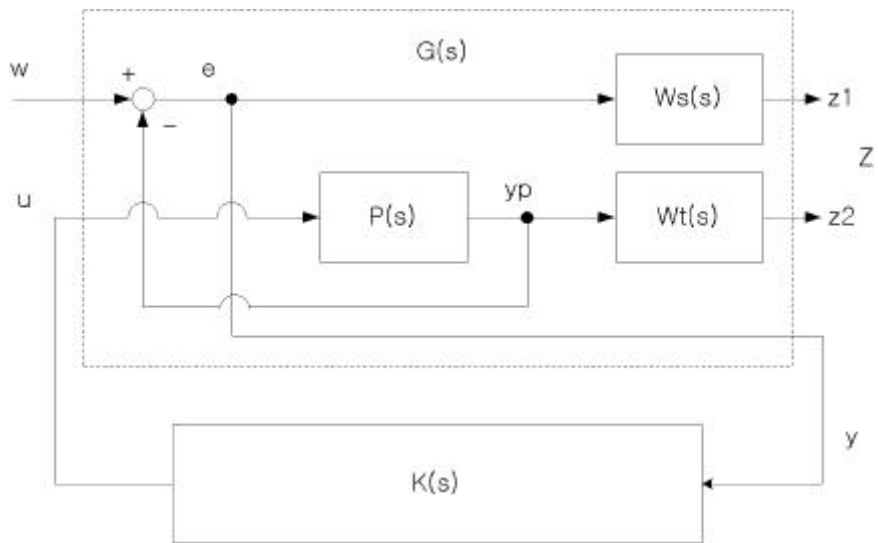


Fig.3.2 Generalized plant with the controller

3.1.2 H_{∞}

Table 2.2

Fig.3.3 . 700[rpm]
 $P_{nom}(s)$, $P_{real}(s)$

$$\Delta(s) = \frac{P_{real}(s) - P_{nom}(s)}{P_{nom}(s)} \quad (3.8)$$

Fig.3.4 .

Fig.3.4 p.1~p.5, p.7~p.10 Table 2.2 p.6
 , p.1~p.5, p.7~p.10

3.1.1

H

(3.6)
$$\frac{S(s)}{S(s)} = \frac{H}{T(s)}$$

$\alpha(s)$ 가 $r(s)$

가

S(s)가

Ws(s)

$$W_s(s) = \frac{60}{\frac{s}{0.008} + 1} \quad (3.9)$$

(3.8) Fig.3.4

가 $P(s) \cdot W_t(s)$ 가 $T(s)$ (proper)

Ws(s) 가 T(s)

Wt(s)

$$W_t(s) = \frac{(\frac{s}{0.5} + 1)^2}{10} \quad (3.10)$$

Fig.3.5

(3.9), (3.10)

$$\left\| \begin{bmatrix} W_s(s) S(s) \\ W_t(s) T(s) \end{bmatrix} \right\|_{\infty} < 1 \quad (3.11)$$

가 A4가 가 3.1.1 가
 A4 , K(s) u
 z 가 =0
 (column full rank) , = u
 z eu
 z3 가 .

Fig.3.6 .

K(s) H .

$$K(s) = \frac{8.2 \times 10^6 s^3 + 9.3 \times 10^7 s^2 + 2.6 \times 10^8 s + 2.6 \times 10^3}{s^4 + 3.1 \times 10^8 s^3 + 8.8 \times 10^8 s^2 + 1.1 \times 10^9 s + 8.6 \times 10^6} \quad (3.12)$$

, 0.01[sec]

$$K(z) = \frac{0.02789z^4 - 0.05271z^3 - 0.00298z^2 + 0.05271z - 0.02490}{z^4 - 1.9714z^3 - 0.028263z^2 + 1.9714z - 0.97173} \quad (3.13)$$

(3.9) 가

2.05

=2.0

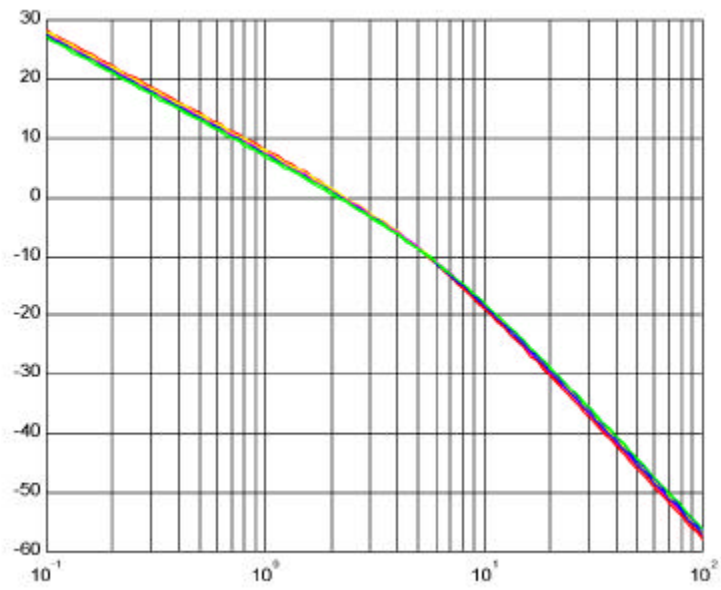


Fig.3.3 Bode diagram of the experimental engine at each different rotational speed

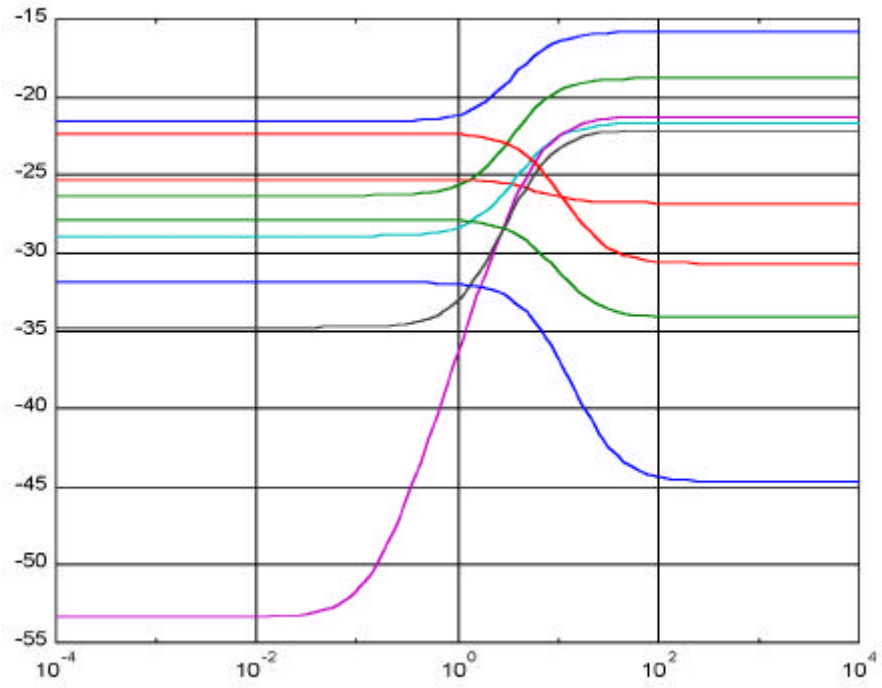


Fig.3.4 Multiplicative perturbations of the experimental engine

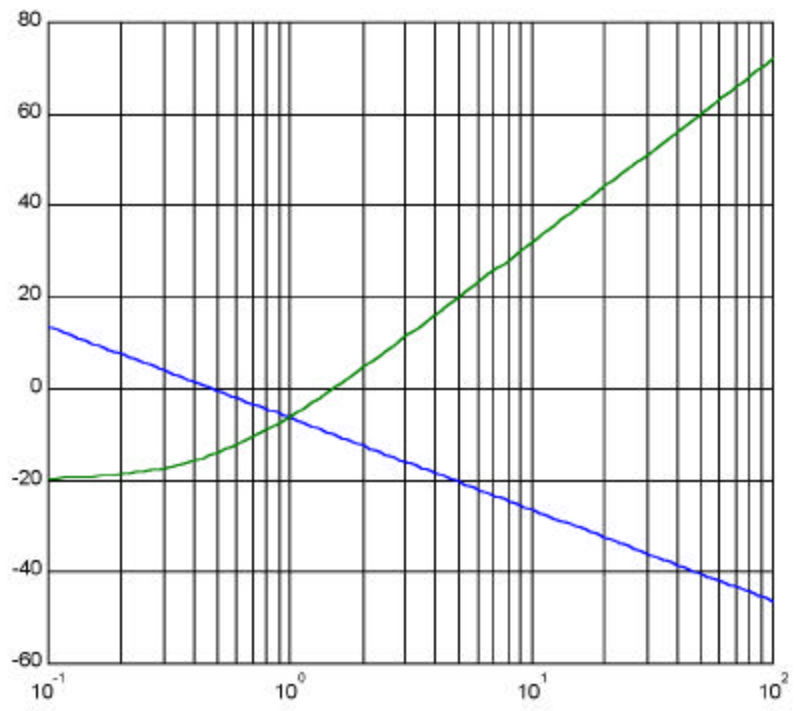


Fig.3.5 Weighting Function $W_s(s)$ & $W_t(s)$

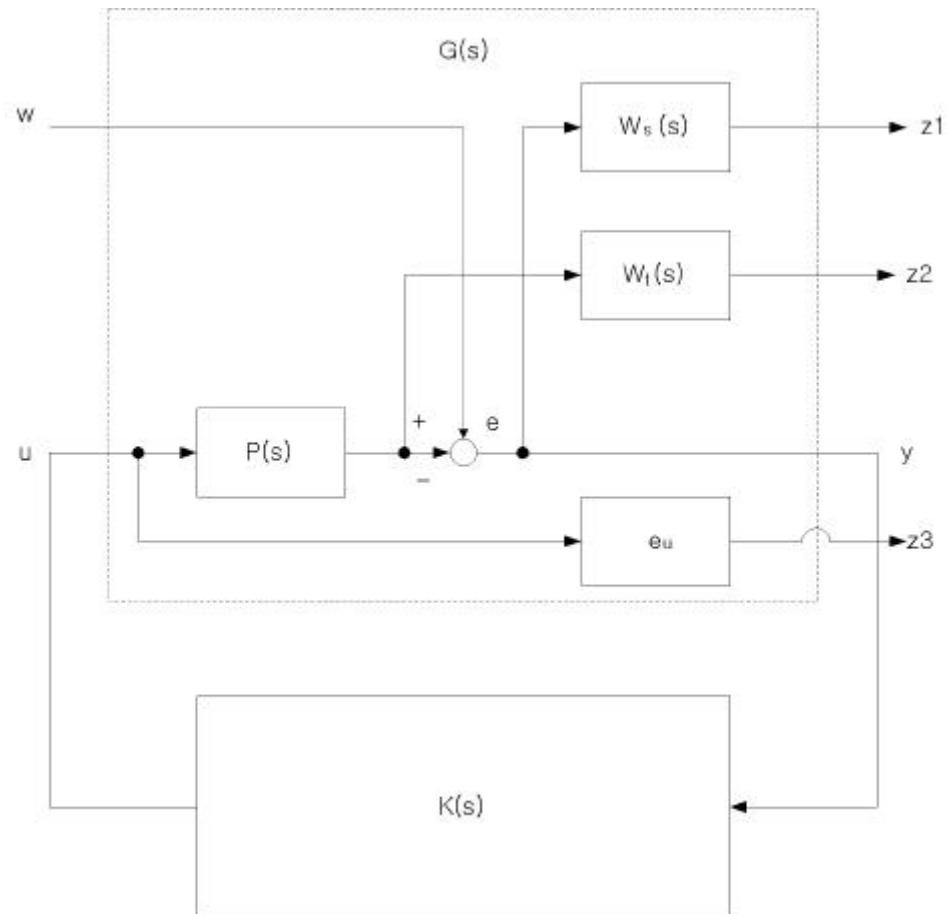


Fig.3.6 Modified generalized plant for the experimental engine

3.2

y

(Servo)

.11)

(robustness)

3.1

, H

H

가

H

1

2)

3.2.1

Fig.3.7

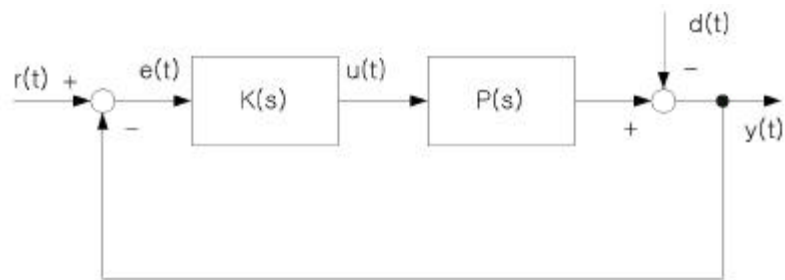


Fig.3.7 Feedback control system

$P(s)$ 가

1

가

$$\lim_{t \rightarrow \infty} e(t) = 0, \quad e(t) = r(t) - y(t) \quad (3.14)$$

가 가

$$G_{er}(0) = (I + P(s)K(s))^{-1} = \Theta \quad (3.15)$$

$$G_{ed}(0) = (I + P(s)K(s))^{-1} = \Theta$$

(3.14) 가

$$|P(0)| \neq 0, \quad s = 0$$

(3.14) $K(s)$ 가 $s=0$

(class) $\mathbb{K}_s(P)$

$$\mathbb{K}_s(P) = \{ K(s) \mid K(0) = \infty \quad P \quad \} \quad (3.16)$$

$$\left\| \begin{bmatrix} W_s(s) & S(s) \\ W_t(s) & T(s) \end{bmatrix} \right\|_{\infty} < \quad (3.17)$$

$$(3.17) \quad W_s(s) \quad K(s) \quad K_s P \quad S(s)$$

Wt(s) Pnom(s) (Multiplicative perturbation: $\Delta_{mpl}(s)$)

$$\Delta_{mpl}(s) = \frac{(P_{real}(s) - P_{nom}(s))}{P_{nom}(s)} \quad (3.18)$$

$$|\Delta_{mpl}(j\omega)| \leq |W_t(j\omega)| \quad (3.19)$$

1
 , Pnom(s) 가
 13) H
 , 가 3.1.1 가 A4
 A5가 가
 14),15)

$W_s(s)$ 가 $W_s(0)=$
 $W_s(s)$, $K(s)$
 $W_s(s)$

$$W_s(s) = \frac{\widehat{W}_s(s)}{\alpha(s)} \quad (3.20)$$

$$\alpha(s) = \frac{s}{s + \theta}, \quad \theta > 0 \quad (3.21)$$

$W_s(s)$
 $W_s(s)(I + P(s)K(s))^{-1}$
 , (3.20) $W_s(s)$ $K(s)$
 가 $(I + P(0)K(0))^{-1} \theta$ 가
 $\widehat{K}(s)$ $K(s)$

$$K(s) = \frac{\widehat{K}(s)}{\alpha(s)} \quad (3.22)$$

H 가
 H
 $s=0$
 L ,
 $K(s)$ 가 가

2.2

$S(s)$ 가 , $W_s(s)$ 가

$$W_s(s) = \frac{\frac{s}{2} + 1}{0.000516 \left(\frac{s}{0.15} + 1\right)^3} \cdot \frac{s + 0.75}{s} \quad (3.24)$$

$W_t(s)$

50% 700[rpm]
600~800[rpm]
(3.18), (3.19)

$W_t(s)$ Fig.3.9

H , (3.23)
 $W_t(s) \cdot P(s)$ 가 (proper) $W_t(s)$

$$W_t(s) = \frac{\left(\frac{s}{350} + 1\right)^3}{4.35} \quad (3.25)$$

$\widehat{W}_s(s)$, $W_t(s)$ H

$\widehat{K}(s)$, (3.22)

$$K(s) = \frac{N(s)}{D(s)} \quad (3.26)$$

$$\begin{aligned}
 N(s) &= 2.7 \times 10^6 s^6 + 3.9 \times 10^7 s^5 + 1.9 \times 10^8 s^4 + 3.6 \times 10^8 s^3 \\
 &\quad + 3.5 \times 10^8 s^2 + 1.4 \times 10^8 s + 1405 \\
 D(s) &= s^7 + 3.5 \times 10^3 s^6 + 6.1 \times 10^5 s^5 + 4.7 \times 10^7 s^4 + 6.7 \times 10^7 s^3 \\
 &\quad + 2.4 \times 10^7 s^2 + 3.2 \times 10^6 s + 154430
 \end{aligned}$$

(3.27)

0.01[sec]

$$K(z) = \frac{N(z)}{D(z)} \quad (3.27)$$

$$\begin{aligned}
 N(z) &= 364.75z^7 - 1771.44z^6 + 3075.98z^5 - 1569.54z^4 - 1818.92z^3 \\
 &\quad + 3026.13z^2 - 1621.80z + 314.85 \\
 D(z) &= z^7 - 3.68z^6 + 4.43z^5 - 0.72z^4 - 2.79z^3 + 2.60z^2 - 1.01z + 0.17
 \end{aligned}$$

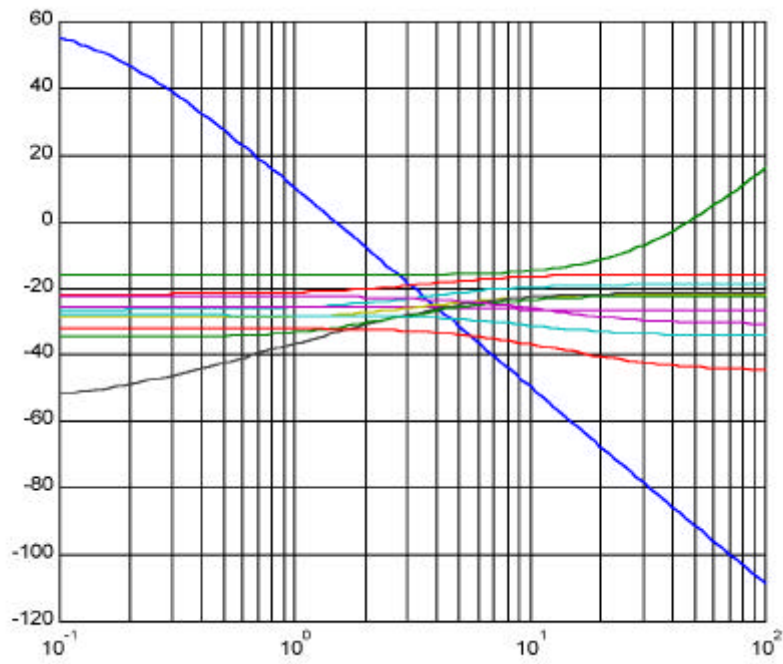


Fig.3.9 Multiplicative model uncertainties
and the weighting functions

3.3

가

, , .

, 가

- 가

가 ,

, , 가 ,

“if- then”

, ,
가

.16)

3.3.1

Fig.3.10

가

(Fuzzy rule base) (Fuzzy inference engine) 가 (Fuzzy (Crisp numerical data) 가 (Fuzzifier) (Defuzzifier)가 .17)

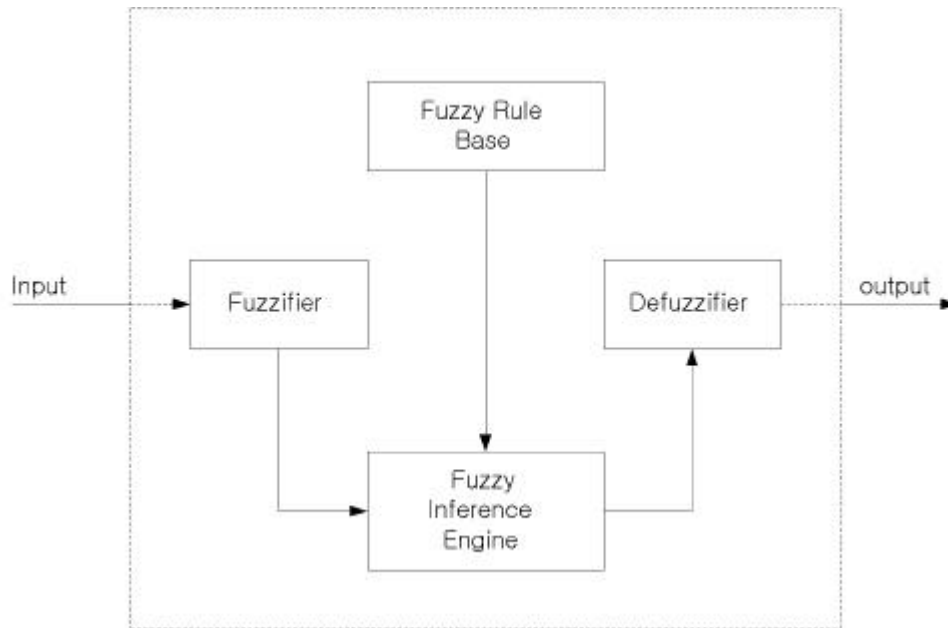


Fig.3.10 Basic configuration of fuzzy logic controller

3.3.2

(a)

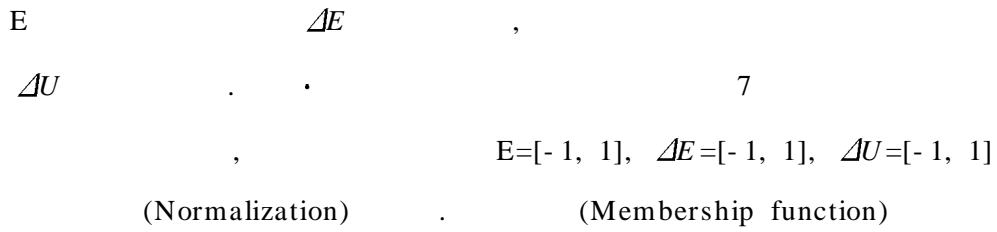
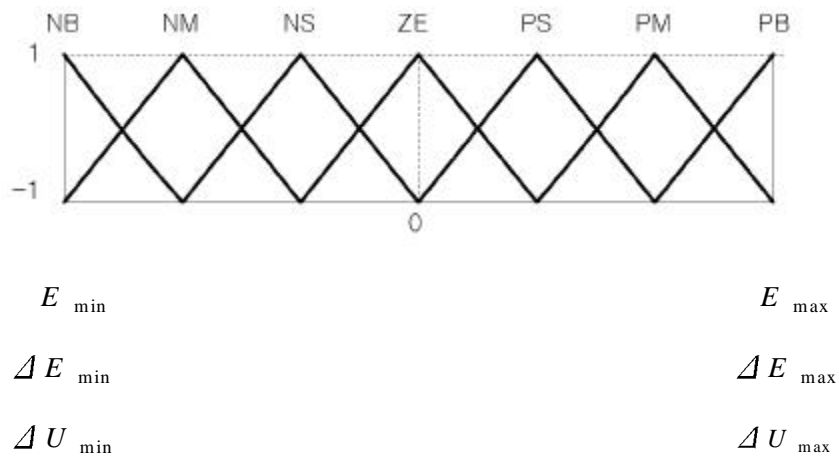


Fig.3.11



NB : Negative Big

PB : Positive Big

NM : Negative Medium

PM : Positive Medium

NS : Negative Small

PS : Positive Small

Fig.3.11 Fuzzy sets and their membership functions

(b)

(Fuzzy singleton method)

Fig.3.12

x_0 가

$$A(x) = \begin{cases} 1, & \text{at } x = x_0 \\ 0, & \text{otherwise} \end{cases} \quad (3.28)$$

A (Mapping)

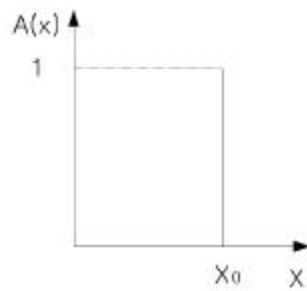


Fig.3.12 Fuzzy singleton method

(c)

가
 , 가 .
 Fig.3.13 가 1
 1 .
 , Fig.3.13 (, , ,)
 (a, b, c ,d) 가
 .18)
 가
 가
 1 ,

Table 3.1 .

- a_1 : if E is PB and ΔE is ZE then ΔU is PB $\Rightarrow R_1$
- b_1 : if E is ZE and ΔE is NB then ΔU is NB $\Rightarrow R_2$
- c_1 : if E is NB and ΔE is ZE then ΔU is NB $\Rightarrow R_3$
- d_1 : if E is ZE and ΔE is PB then ΔU is PB $\Rightarrow R_4$

Table 3.1 Rule table of fuzzy control

E \ ΔE	NB	NM	NS	ZE	PS	PM	PB
NB				NB	NM		
NM				NM			
NS				NS	ZE		PM
ZE	NB	NM	NS	ZE	PS	PM	PB
PS	NM		ZE	PS			
PM				PM			
PB			PM	PB			

Fig.3.13 Characteristic phase of unit step response

(d)

(approximate reasoning)

(generalized

modus ponens)

Tsukamoto

, Takagi Sugeno

Mamdani min-max

R1 R2

$e \quad \Delta e$

(Antecedent) μ_2 and

min (\wedge) (3.29)

$$R_1 : w_1 = PB(e) \wedge ZE(\Delta e)$$

$$R_2 : w_2 = ZE(e) \wedge NB(\Delta e) \quad (3.29)$$

$PB(e), ZE(\Delta e)$

$e \quad \Delta e$

PB, ZE

(Co-

nsequent)

Y1, Y2

(Implication)

Mamdani

min (\wedge)

PB NB

$$\begin{aligned}
 Y1(\Delta u) &= w_1 \wedge PB(\Delta u) \\
 Y2(\Delta u) &= w_2 \wedge NB(\Delta u)
 \end{aligned}
 \tag{3.30}$$

(\vee) (3.31) or max

$$Y(\Delta u) = Y1(\Delta u) \vee Y2(\Delta u)
 \tag{3.31}$$

(e)

(3.31) 가 가 가

(Center of gravity method)

(3.32)

$$\Delta u = \frac{\int Y(\Delta u) \cdot \Delta u d(\Delta u)}{\int Y(\Delta u) d(\Delta u)}
 \tag{3.32}$$

Fig.3.14

e Δu 가

Mamdani

Y

.19)

Δu

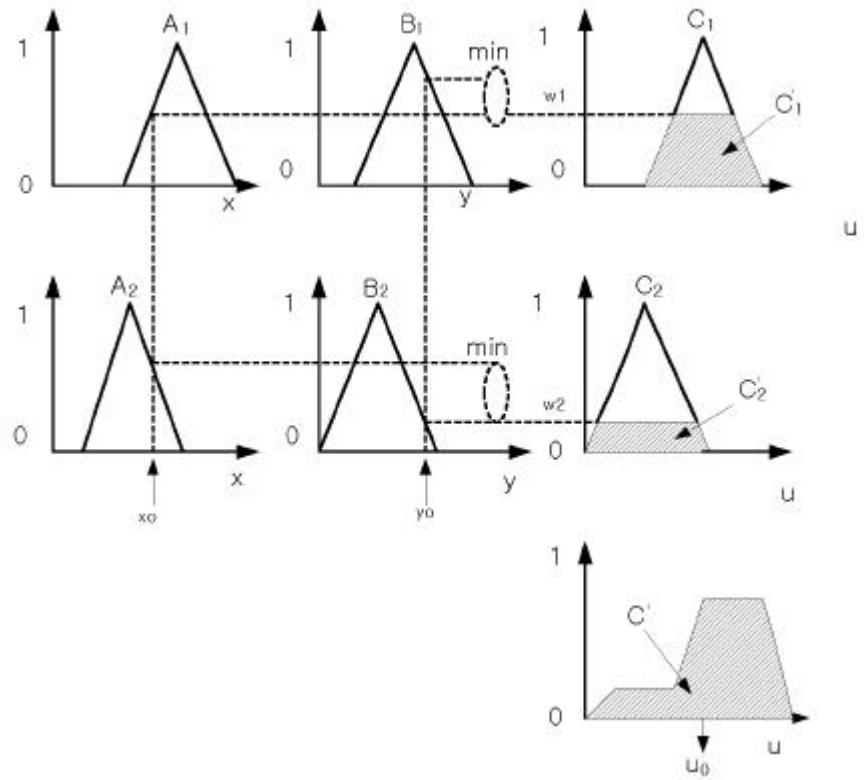


Fig.3.14 Fuzzy reasoning process by min-max composition and centroid of gravity method

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Fig.4.1 Fig.4.3 600 →700 →600[rpm]

Fig.4.4 Fig.4.6

가 700 →800 →700[rpm]

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가 ,

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가

Fig.4.16

가

가

Fig.4.7 Fig.4.9

가 600[rpm] 20

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Fig.4.10 Fig.4.12

가 700[rpm] 20

,

Fig.4.13 Fig.4.15

800[rpm] 20

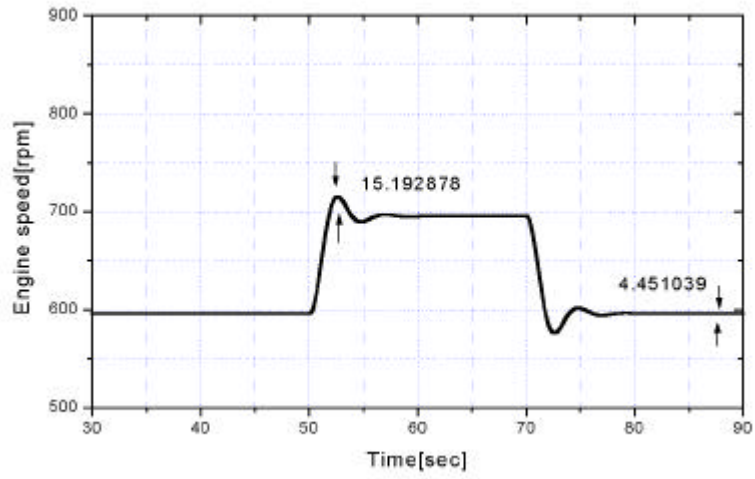
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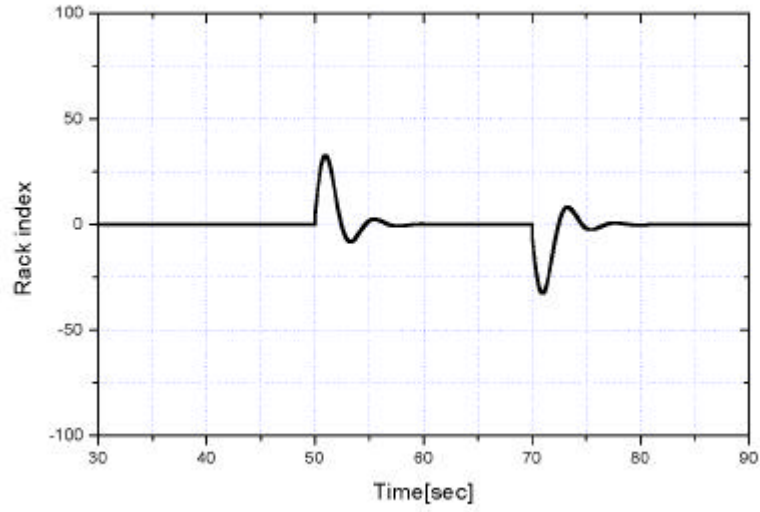
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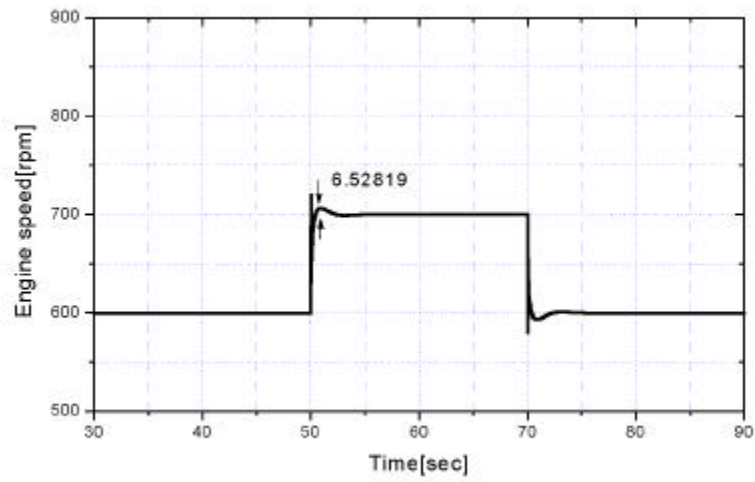


(a) Engine speed

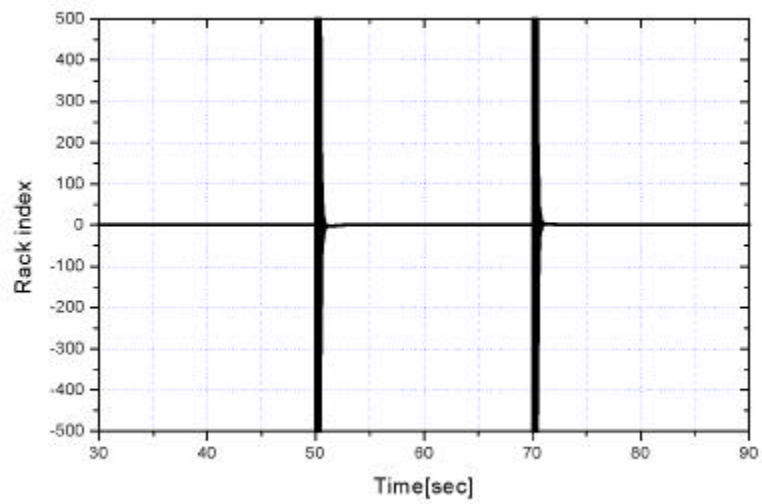


(b) Fuel pump rack index

Fig.4.1 Step response of experimental engine
(with H_{∞} controller, Ref. speed: 600→700 rpm)

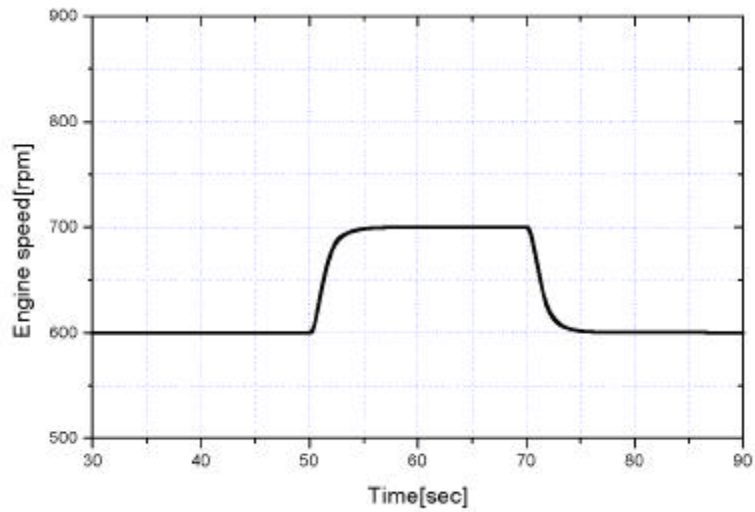


(a) Engine speed

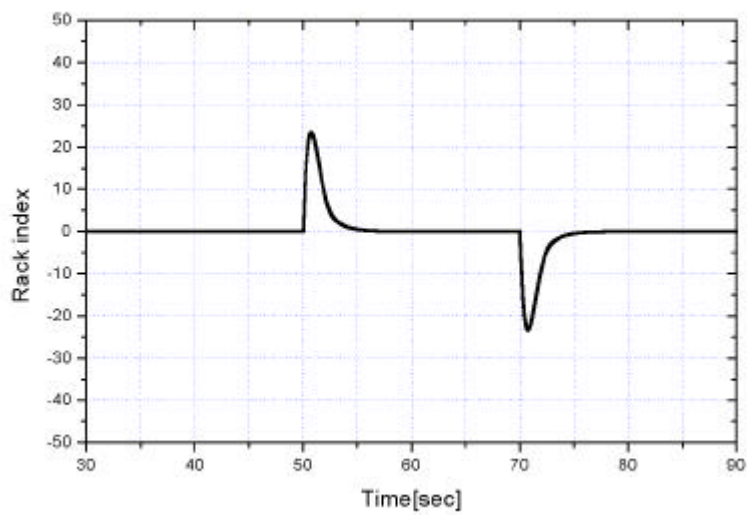


(b) Fuel pump rack index

Fig.4.2 Step response of experimental engine
(with robust servo controller, Ref. speed 600 →700 rpm)

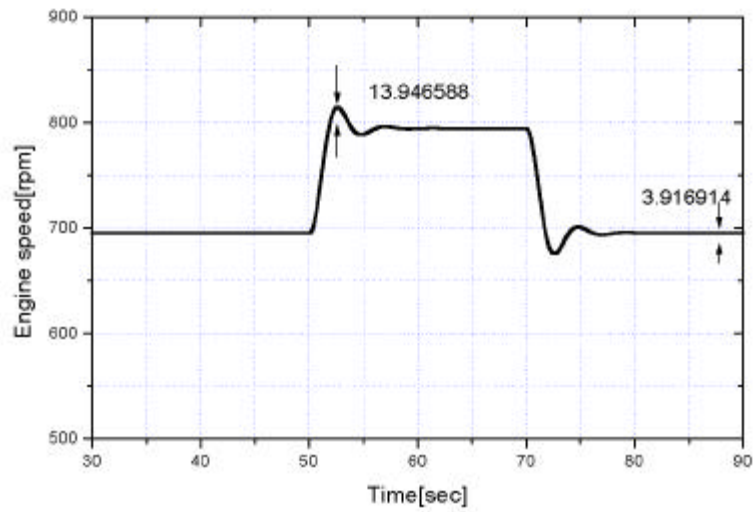


(a) Engine speed

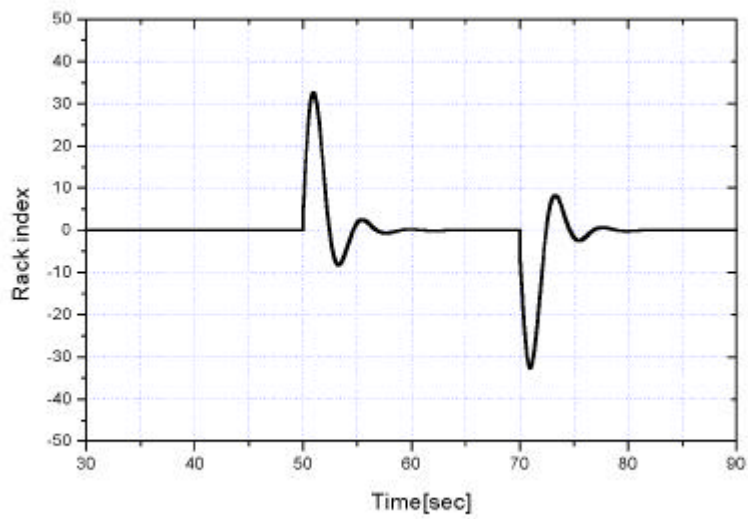


(b) Fuel pump rack index

Fig.4.3 Response of experimental engine
(with fuzzy controller, Ref. speed: 600 → 700rpm)

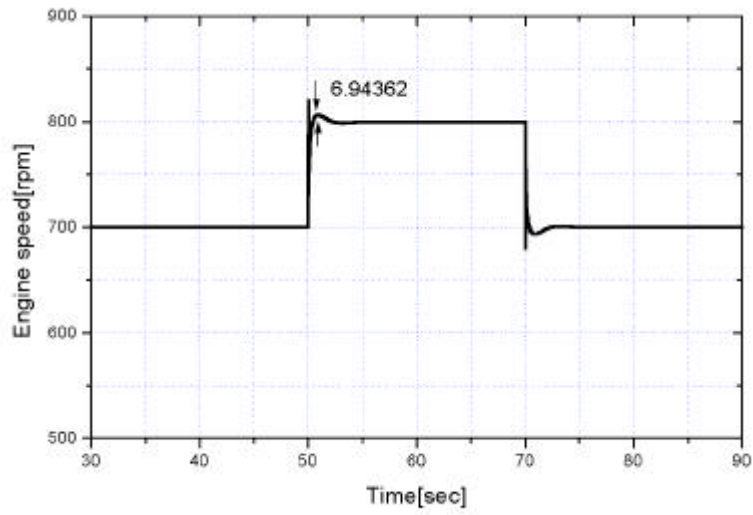


(a) Engine speed

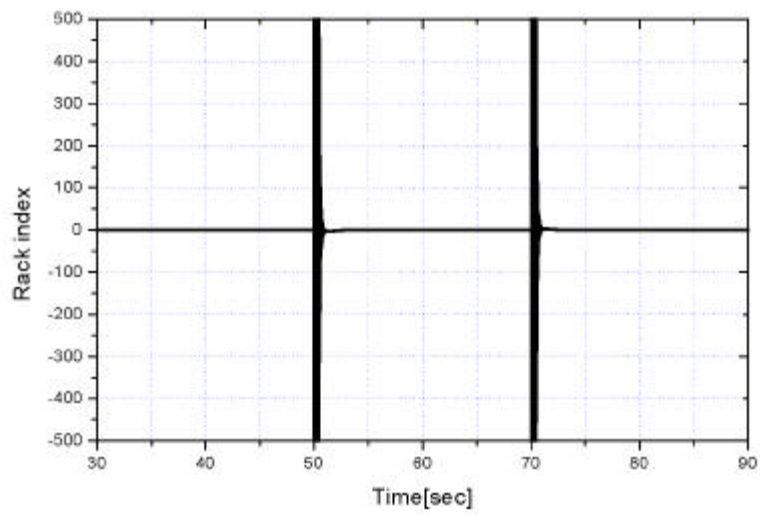


(b) Fuel pump rack index

Fig.4.4 Step response of experimental engine
(with H_{∞} controller, Ref. speed 700 \rightarrow 800 rpm)

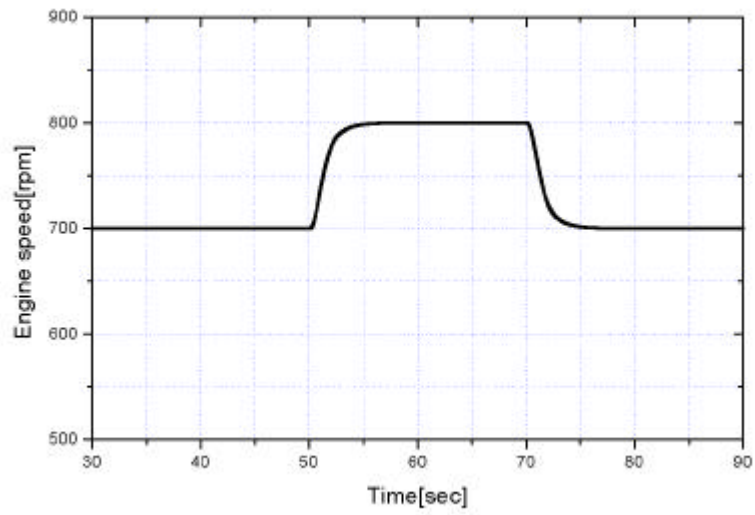


(a) Engine speed

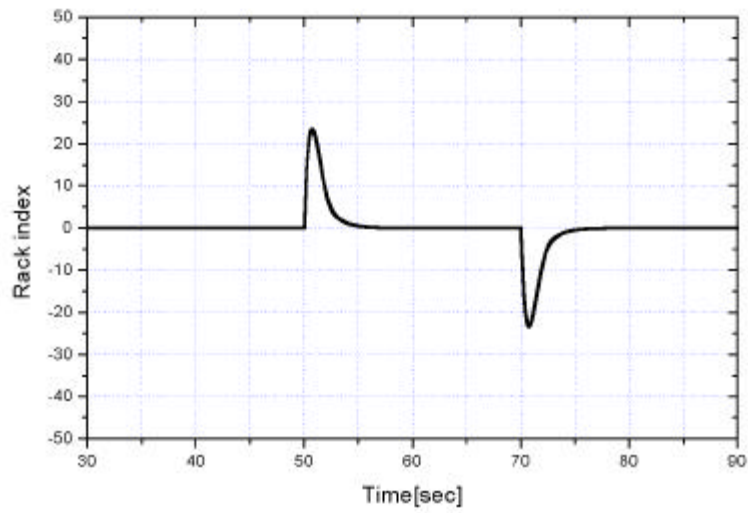


(b) Fuel pump rack index

Fig.4.5 Response of experimental engine
(with robust servo Controller, Ref. speed: 700 → 800 rpm)

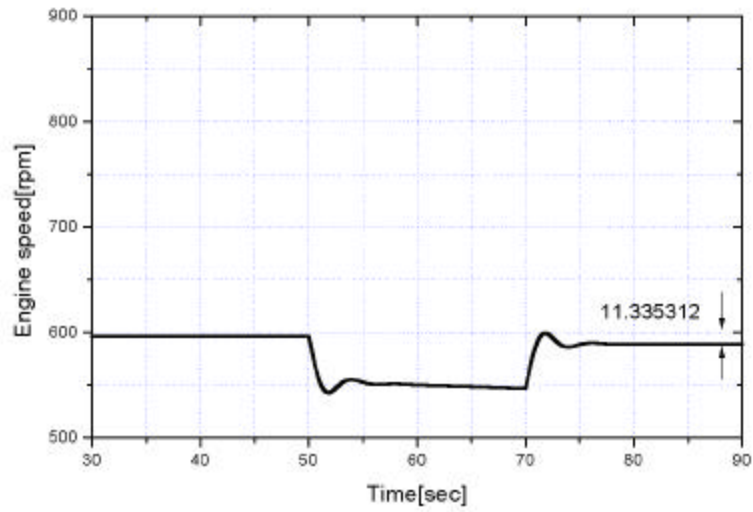


(a) Engine speed

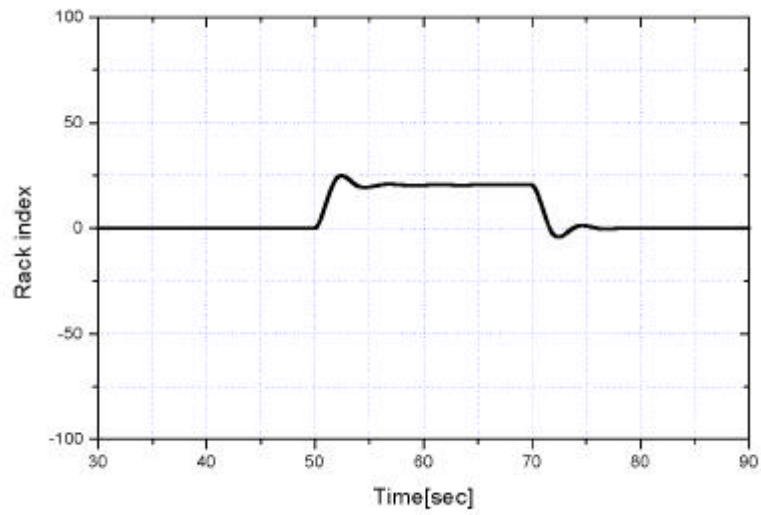


(b) Fuel pump rack index

Fig.4.6 Response of experimental engine
(with fuzzy controller, Ref. speed: 700 → 800 rpm)

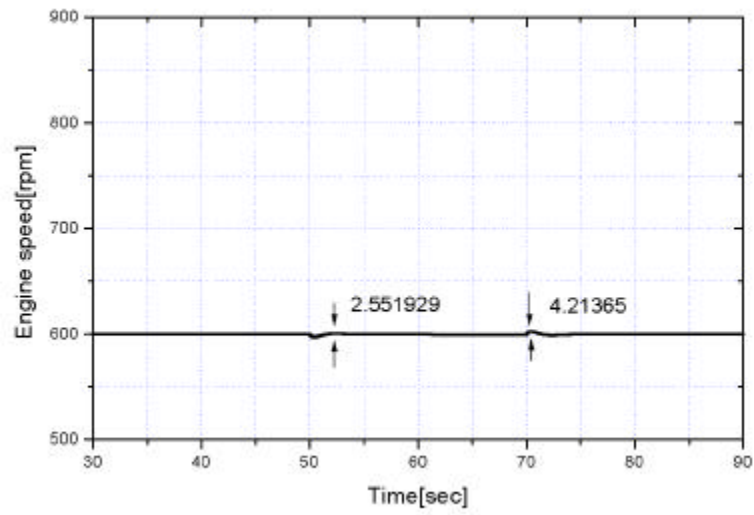


(a) Engine speed

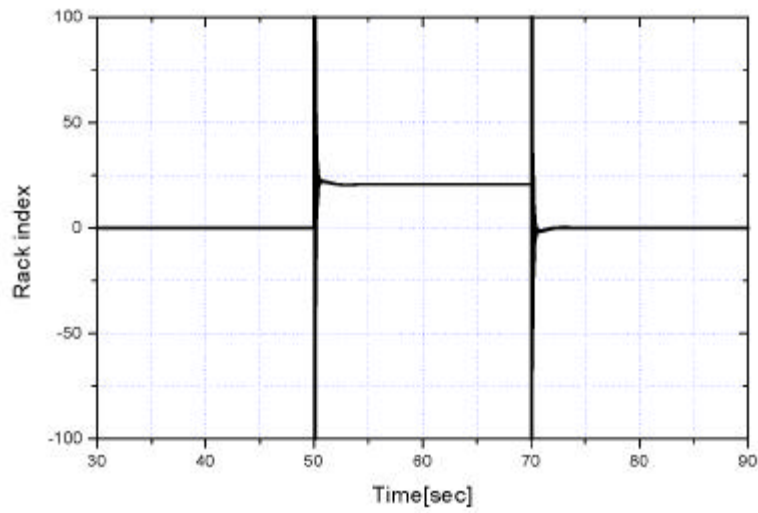


(b) Fuel pump rack index

Fig.4.7 Response of experimental engine under disturbance
(with H_{∞} Controller, Ref. speed: 600 rpm)

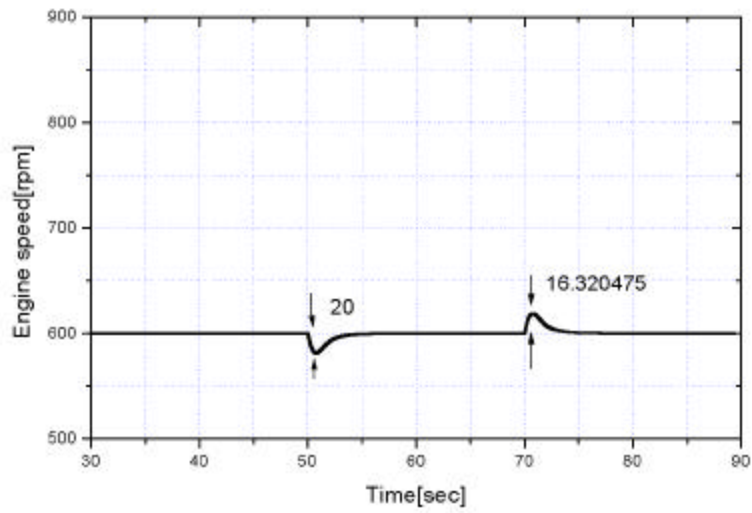


(a) Engine speed

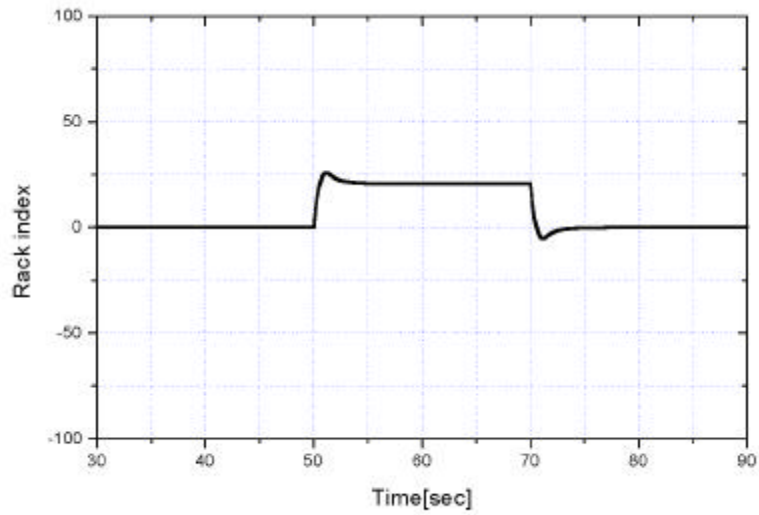


(b) Fuel pump rack index

Fig.4.8 Response of experimental engine under disturbance
(with robust servo controller, Ref. speed: 600 rpm)

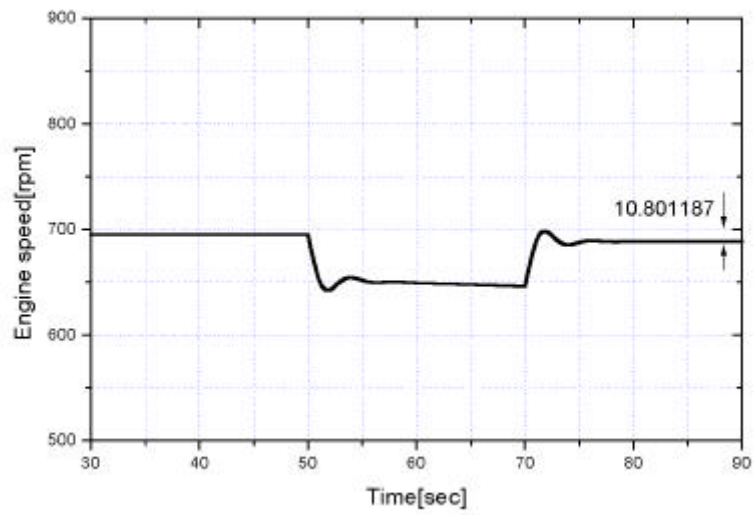


(a) Engine speed

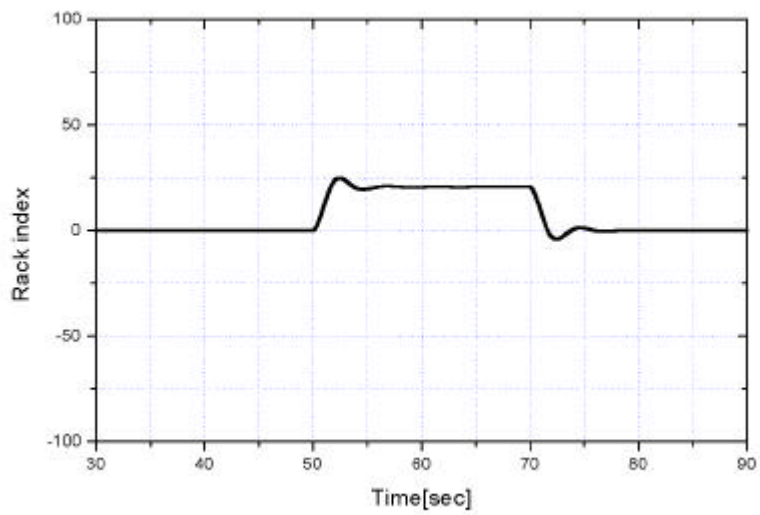


(b) Fuel pump rack index

Fig.4.9 Response of experimental engine under disturbance
(with fuzzy Controller, Ref. speed: 600 rpm)

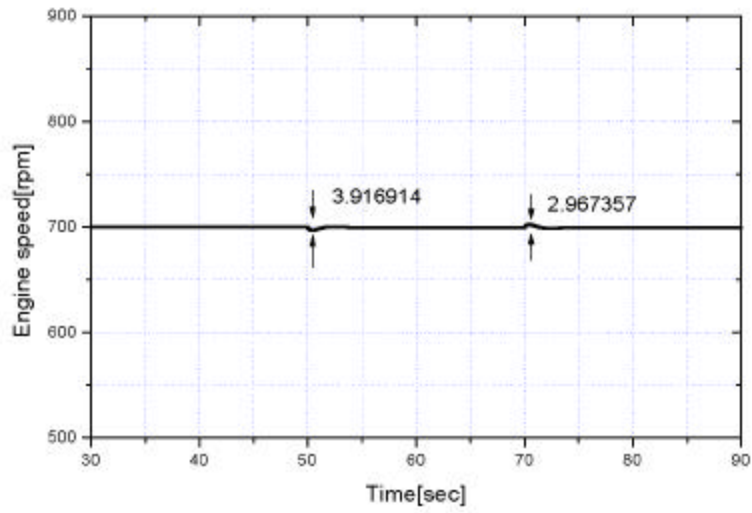


(a) Engine speed

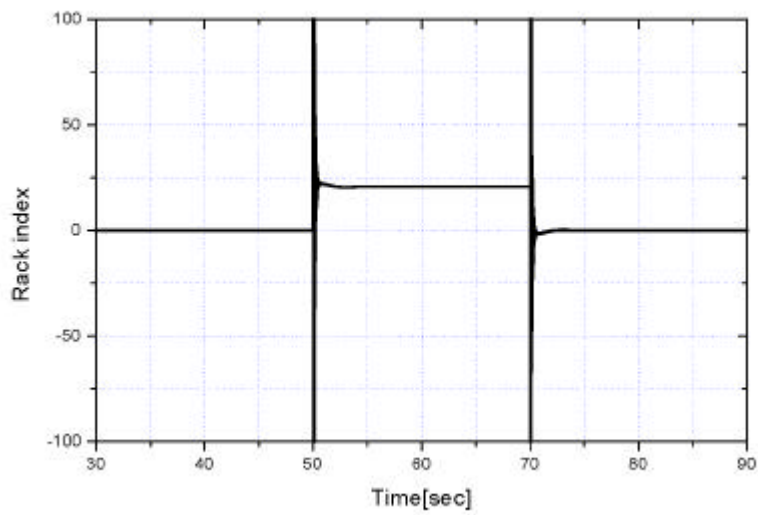


(b) Fuel pump rack index

Fig.4.10 Response of experimental engine under disturbance
(with H_{∞} Controller, Ref. speed: 700 rpm)

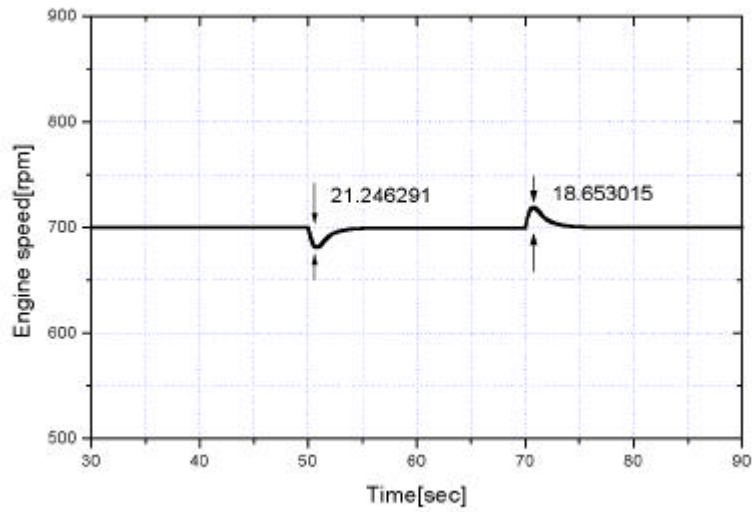


(a) Engine speed

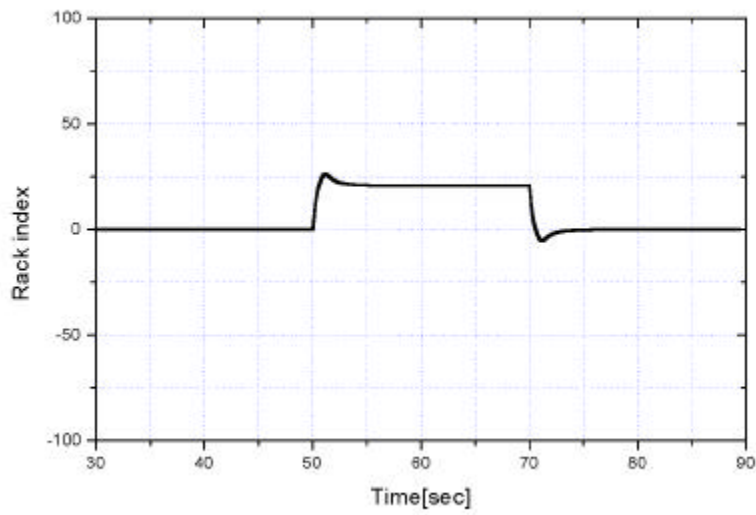


(b) Fuel pump rack index

Fig.4.11 Response of experimental engine under disturbance
(with robust servo Controller, Ref. speed: 700 rpm)

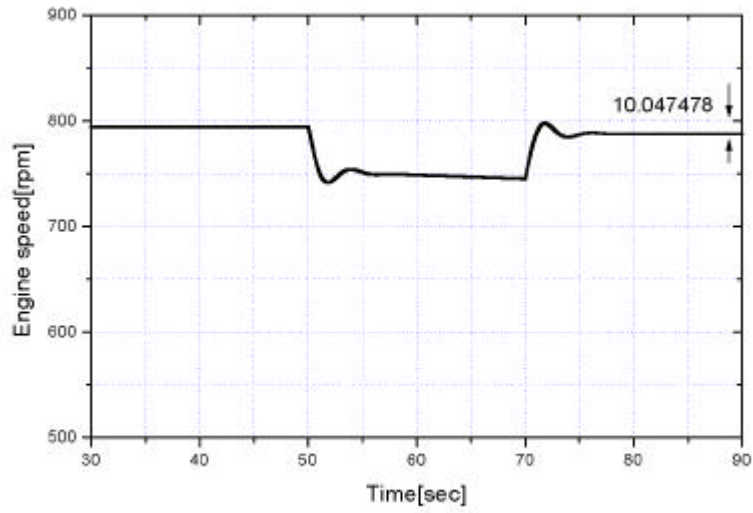


(a) Engine speed



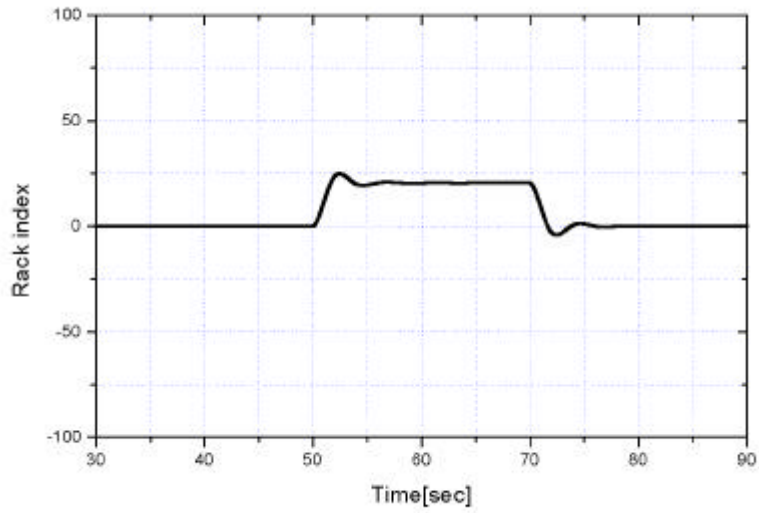
(b) Fuel pump rack index

Fig.4.12 Response of experimental engine under disturbance



(with fuzzy Controller, Ref. speed: 700 rpm)

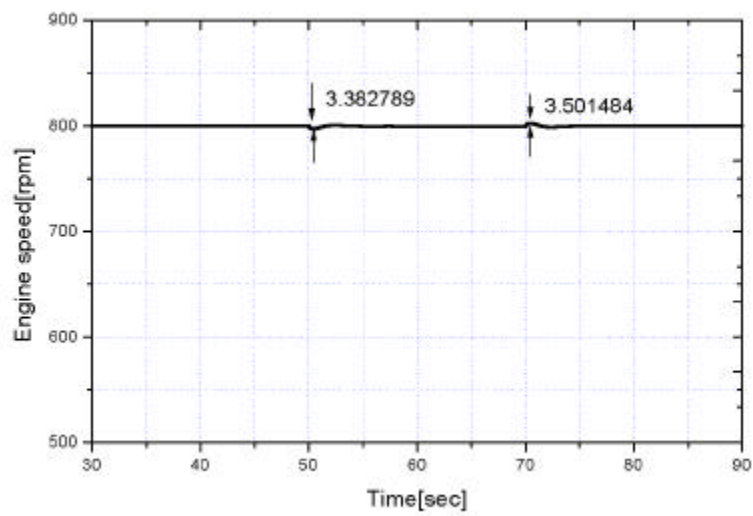
(a) Engine speed



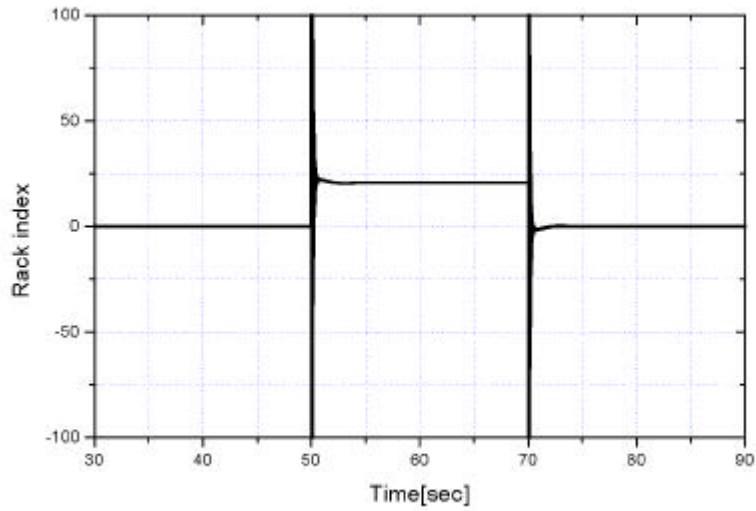
(b) Fuel pump rack index

Fig.4.13
Response of experimental

engine under disturbance
(with H_{∞} Controller, Ref. speed: 800 rpm)



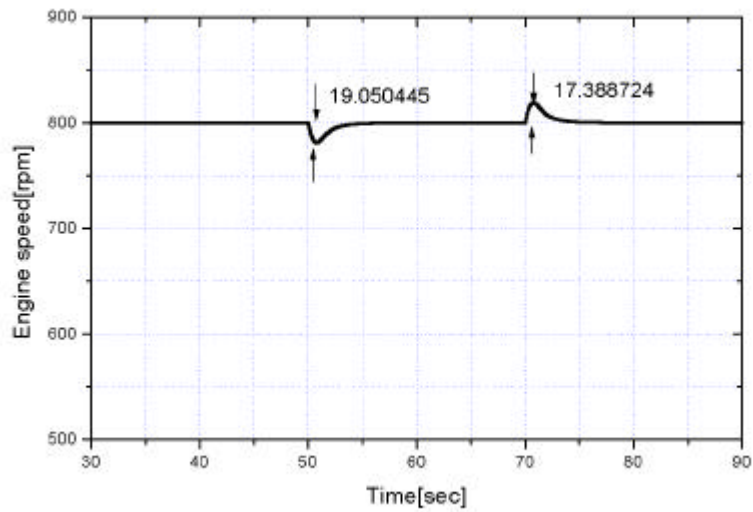
(a) Engine speed



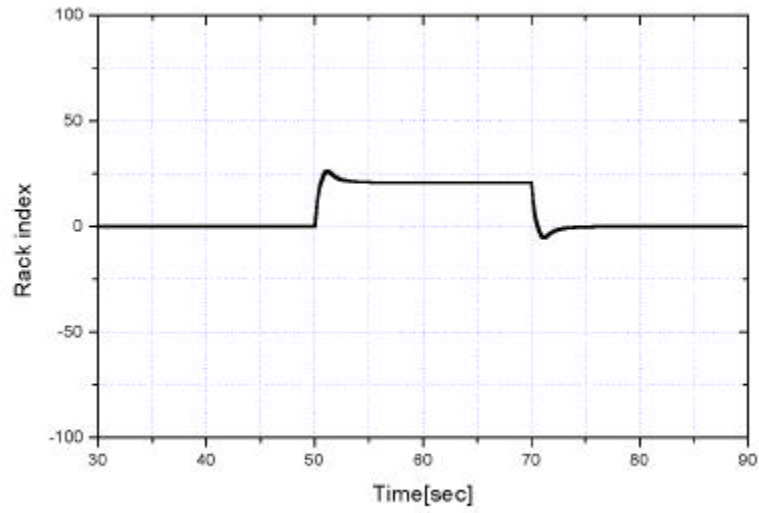
(b)
Fuel

pump rack index

Fig.4.14 Response of experimental engine under disturbance
(with robust servo Controller, Ref. speed: 800 rpm)

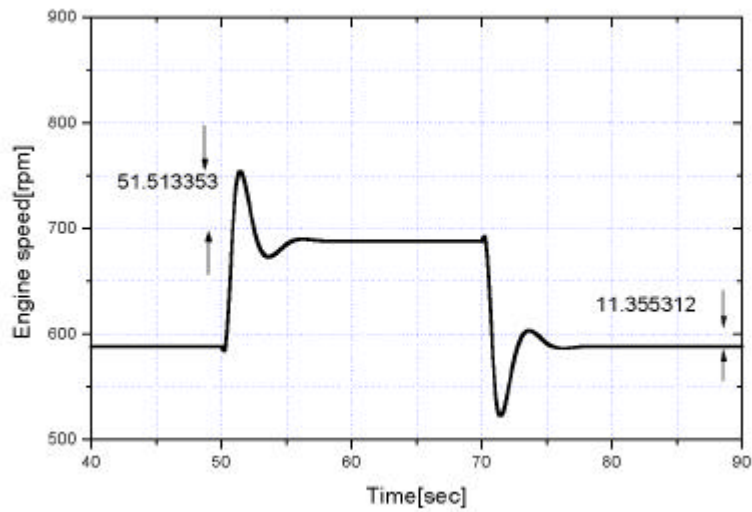


(a) Engine speed

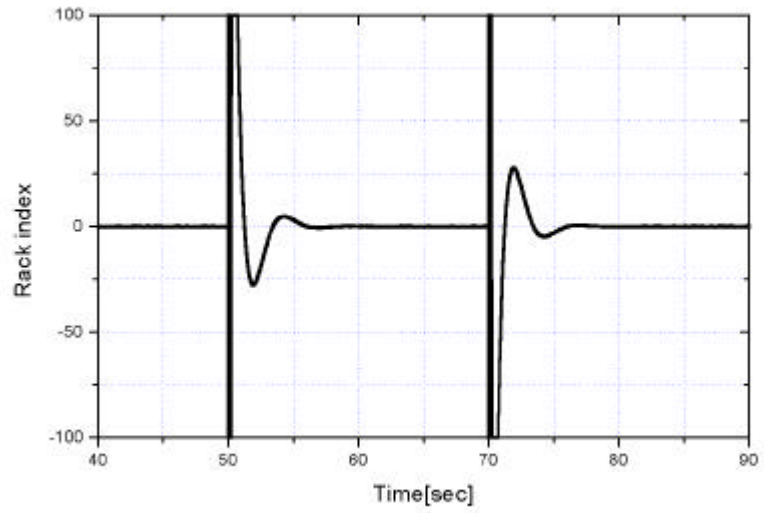


(b) Fuel pump rack index

Fig.4.15 Response of experimental engine under disturbance (with fuzzy Controller, Ref. speed: 800 rpm)



(a) Engine speed



(b) Fuel pump rack index

Fig.4.16 Response of experimental engine
(with robust servo controller, Ref. speed: 600 → 700 rpm)

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