

工學碩士 學位論文

**Ship Planning System for Efficient Crane Operation
of Container Terminal**

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Ship Planning System for Efficient Crane Operation of Container Terminal

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Abstract

In case of the container terminal, as something affecting in the productivity, the terminal working plan for loading and discharging the container is probably divided by berth allocation plan, yard allocation plan, loading and discharging plan, gate operation plan.

Loading and Discharging plan is classified the gantry crane allocation plan, loading, discharging plan to take the responsibility of the ship loading and unloading work. The basic purpose of these working plans can reduce unloading time that is for loading and discharging activities of container. Reducing the discharging time can reduce not only additional cost at the position of the

shipping company, but also can increase the rate of service at the position of the terminal. therefore it can be expected attracting shipping company. It can be said that the total discharging time that is for loading and discharging activities of containers are generally the work time and the setup time. Because the need time for loading and unloading depends on machine's efficiency, it is the more reliable in machine's efficiency than in a mathematical analysis. Therefore, the efficient working plan can reduce setup time, and it is directly connected to reduce loading and discharging time of containers.

In this paper, it suggest the mathematical model about yard's amount of the materials for the allocation and hatch allocation per gantry crane to take the responsibility of the ship loading and unloading work after the berth allocation and the yard's amount of the materials.

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1

1.1

90%

(Multi-modal Transportation)

가 .

가 TEU ,
가 . ,

가

, 가 . ,
가

,
가

가

가 가
가 ,

가

(work time)

(setup time)

(Gantry Crane, G/C) Hatch

Hatch

(Transfer Crane, T/C)

1.2

가

(vessel stability)
가 (1995)
가 가
(Decision Support System) ,
가
가 (Expert System) (1996)
(Artificial Intelligence) 가
,
Prototype , Dumbleton, J.J.(1990) Planner
가
Jonathan J. Shields(1984)
, (Monte Carlo)
(random search) (penalty)
. (1990)
Shift (Integer Programming)
, (branch and bound)
, (Dynamic Programming)

(1997)

(Genetic Algorithm)

(Straddle Carrier, S/C)

D. J. Sagninaw II A. N. Perakis(1989)

(Lagrangean Relaxation) Rana & Vickson (1991)

Fisher & Rosein(1989)

Daganzo & Peterkofsky(1990)

가 (1997)

(Heuristic)

(1995)

(S/C)

, Quadratic Programming

(1998)

(Transfer Crane, T/C)

, FCFS(first come, first service), UT(unidirectional travel), NT(nearest truck first served), SPT(shortest processing time rule)

(1986)

(GM)

(1999)

TSP(Traveling Salesman

Problem) Tour Construction Tour Improvement

,

,

.

.

. 가 ,

.

.

1.3

1

,

2

3

(Real

time)

가

(Heuristic)

4

5

2

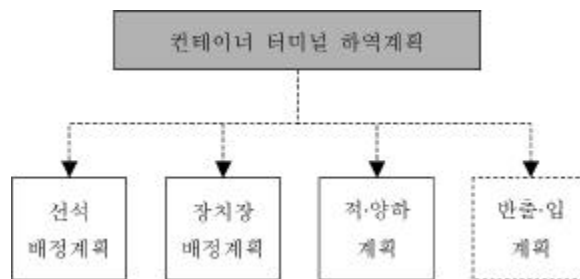
(container terminal)

2.1

가

- (1) (berth allocation planning)
- (2) (yard allocation planning)
- (3) (unloading/loading planning)

(gate)



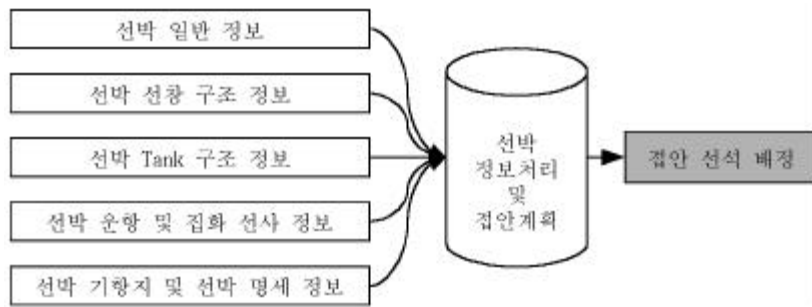
[2-1]

가

2.1.1

가

1

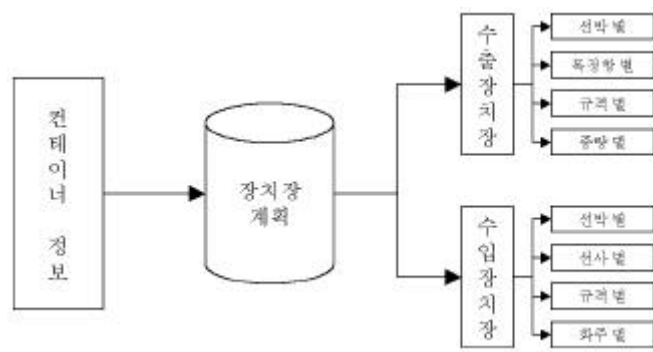


[2-2]

2.1.2

(Marshalling)

가 , (T/C, S/C)
 가 ,
 가



[2-3]

2.1.3

가

가

- (1) (gantry crane allocation planning)
- (2) (unloading planning)
- (3) (loading planning)

2.2

2.2.1

(G/C, T/C, Yard Tractor)

가

가

(Hatch)

, 가

Hatch

Hatch

Hatch

가

Hatch

Hatch

가

Hatch

• (+)

• Hatch

•

•

• (), ()

2.2.2

(Stowage Plan)가 Working
Schedule
•
•
• (hatch cover, cell guide)
• (shifting container)
(Discharging
Sequence List)가

2.2.3

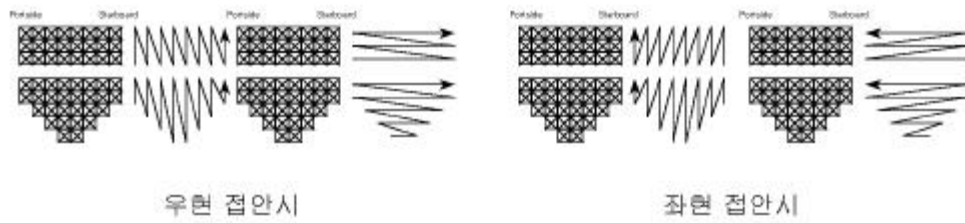
(General Stowage Plan) (Loading Container No List)
(Bay Plan) (Loading Sequence List)

(1)

:

- (Portside) (Starboard)
- (Starboard) (Portside)
-
-
- Vertical order
- Horizontal order
-
-

vertical order



[2-4]

(2)

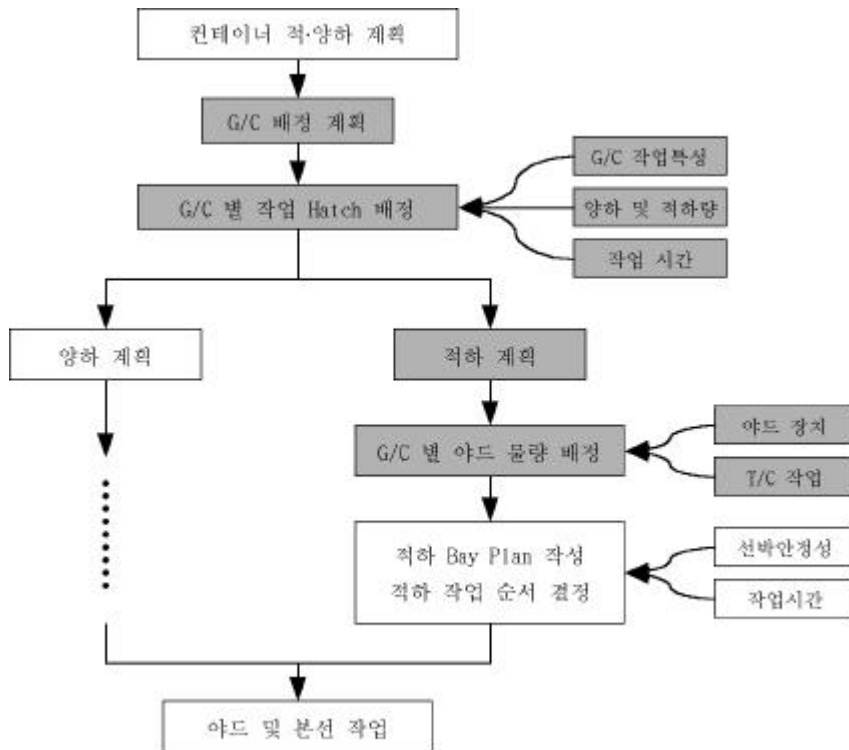
- 20 , 40 , 45
- over-dimension, break-bulk, reefer, flat-rack
- under deck, on deck, under water line
- Empty

(3) 가

-
-
-

(Loading Sequence List)가

2.3



[2-5]

(code)

Hatch

Hatch

Hatch

가

3

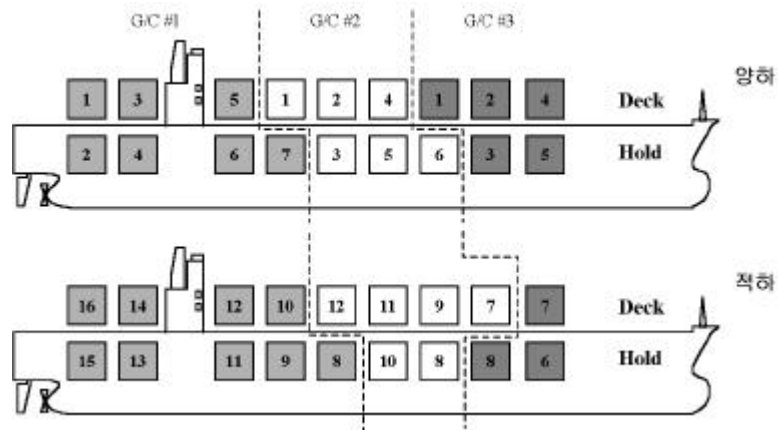
3.1

3.1.1 (G/C)

가 ,
.
가 ,
.
(Hatch)
가
(Line Balancing)
가
Hatch
Hatch 가
Hatch
Hatch
Hatch Hatch
Deck Hold
가
가

Hatch 가

[3-1]



[3-1]

Hatch

가

가

3.1.2

가

- Hatch
- Hatch Deck Hold
- ,
- Deck Hold , Hold
- Deck Hatch ,
- ,
- 가
-
-
- ,

$n =$

$m =$

$a_i = i$

$D = (i,j)$

$$x_i^k = \begin{cases} 1 & : i = k \\ 0 & : \text{otherwise} \end{cases}$$

$$t_i = i$$

$$T =$$

n

Deck Hold

0

T

T

$$\text{Minimize } T \tag{1}$$

Subject To

$$x_{i+2}^1 \leq x_i^1, \quad i = 1, 2, \dots, n-2 \tag{2}$$

$$x_{i+2}^k \leq x_i^{k-1} + x_i^k, \quad i = 1, 2, \dots, n-2, \quad k = 2, 3, \dots, m \tag{3}$$

$$x_{i+2}^m \leq x_i^m, \quad i = n+1, n+2, \dots, 2n-2 \tag{4}$$

$$x_{i+2}^k \leq x_i^{k+1} + x_i^k, \quad i = n+1, n+2, \dots, 2n-2, \quad k = 1, 2, \dots, m-1 \tag{5}$$

$$\sum_k x_i^k = 1, \quad i = 1, 2, \dots, 2n \tag{6}$$

$$t_i + a_i \leq T, \quad i = 1, 2, \dots, 2n \tag{7}$$

$$t_i + a_i \leq t_{i+1}, \quad i = 1, 3, \dots, 2n-1 \tag{8}$$

$$x_i^k = 1 \text{ and } x_j^k = 1 \implies t_i + a_i \leq t_j, \quad i = 1, \dots, 2n-1, \quad j = i+1, \dots, 2n, \quad \forall k \tag{9}$$

$$x_i^k = 1 \text{ and } x_j^k = 1 \implies t_j + a_j \leq t_i \text{ or } t_i + a_i \leq t_j, \quad \forall (i, j) \in D, \quad \forall k \neq k \tag{10}$$

$$t_i + a_i \leq t_{2n-i+1}, \quad i = 1, 2, \dots, n \tag{11}$$

$$t_i \geq 0, \quad i = 1, 2, \dots, 2n \tag{12}$$

$$x_i^k \in \{0, 1\}, \quad i = 1, 2, \dots, 2n, \quad k = 1, 2, \dots, m \tag{13}$$

(2) (3)

Deck Hold , Hold Deck

(4) (5) . (6)

(7)

(8) Hatch Deck Hold ,

Hold Deck . (9)

(10)

(11)

가 (12) , (13)

가

(9) (10) OR

가 Hatch

Hatch a_i m_{ij}

$a_i + m_{ij}$ t_i, a_i

, m_{ij} t_i^k, a_i^k, m_{ij}^k

가

Pseudo Code

Pseudo Code.

Line 1 : { Calculate bound b[0], b[1] }

Line 2 : for i := 0 to 1 do

```

Line 3 :      begin
Line 4 :          { Initialize k and s }
Line 5 :          for j := 1 to n do
Line 6 :              begin
Line 7 :                  s := s + a[i, j];
Line 8 :                  if { s exceed the bound b[j] } then
Line 9 :                      { Assign s to crane k }
Line 10 :                      s := 0;
Line 11 :                  else
Line 12 :                      { Assign s - a[i, j] to crane k }
Line 13 :                      a := a[i, j];
Line 14 :                  end if
Line 15 :              end;
Line 16 :          end;
Line 17 :          while { exist exchangeable job } do
Line 18 :              begin
Line 19 :                  T1 := T;
Line 20 :                  repeat
Line 21 :                      { select exchangeable job i }
Line 22 :                      { exchange selected job i }
Line 23 :                      { calculate ending time T2 }
Line 24 :                      if T2 < T1 then
Line 25 :                          T1 := T2;
Line 26 :                          j := i;
Line 27 :                      end if
Line 28 :                  until { All exchangeable job checked };
Line 29 :                  if T1 < T then
Line 30 :                      { exchange job j }
Line 31 :                      T := T1;
Line 32 :                  end if
Line 33 :              end;

```

(Line 1) Deck Hold

(Line 2 16).

(Line 17 33).

가 (

Hatch가 , Hatch가 , Hatch Hatch (T/C)

3.2

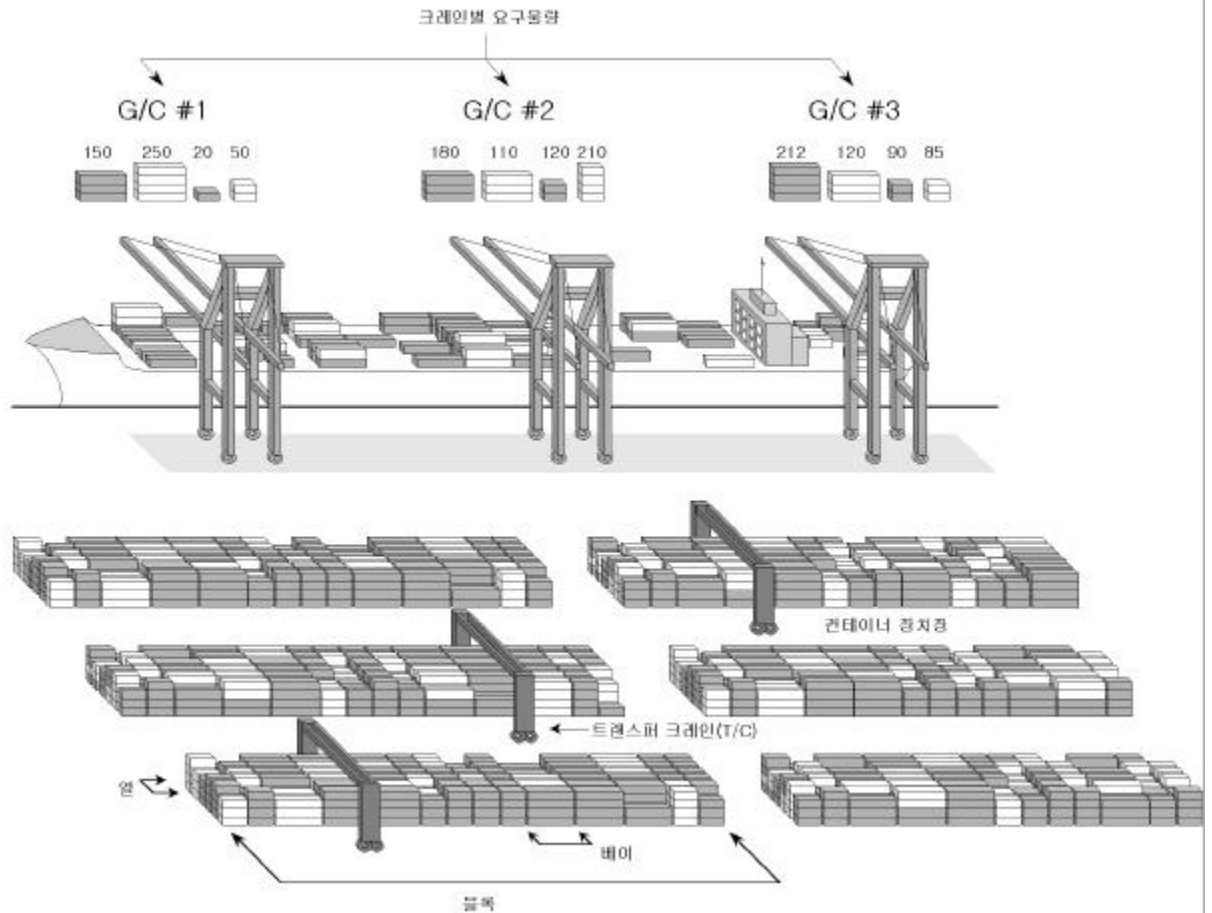
가 가

3.2.1 (G/ C)

Hatch (Yard Tractor, Y/T)

(Cell)

가 [3-2] (, ,))



[3-2]

가 ,

가 .

가 가 가 가

(1, 2, 3, 4)가 (A, B, C)

가 4 , A 2

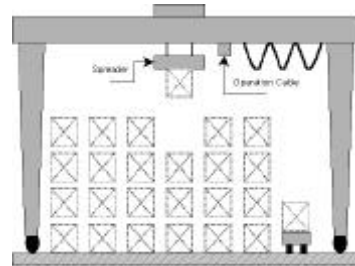
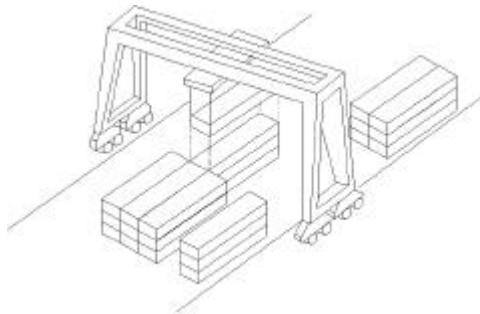
B 2 , $4C_2 \times 4C_2 = 36$ 가 가

, 가 C 2 $4C_2 \times 4C_2 \times 4C_2 = 216$

가 가 가 가 가
 , ,)가
 가

3.2.2 (T/C)

가 , G/C 1 T/C 2-3 , Y/T
 5 가
 T/C G/C G/C
 T/C T/C
 3-3]



[3-3] (T/C)

G/C T/C
 , 가 G/C ,
 . T/C
 가 , T/C가

3.2.3 (Y/T)

(Y/T) G/C T/C
T/C G/C

Y/T

3.3

G/C T/C
가 T/C
T/C
T/C
, , T/C

3.3.1 (Block)

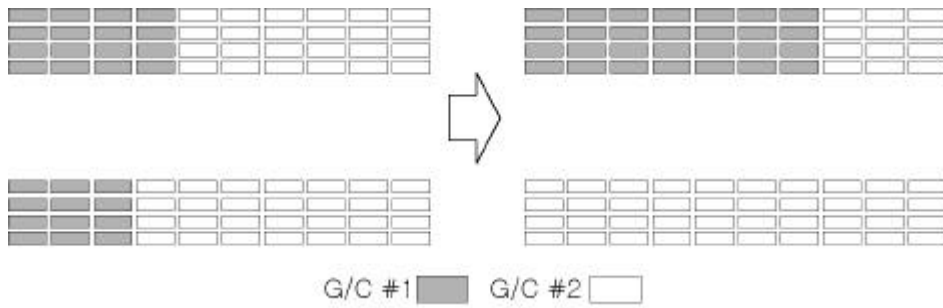
G/C T/C
T/C
, 가 T/C

[3-4]

가

[3-1] T/C

	T/C	CNTR (1)	(Ibay)	
	10km/h	30 sec	2.34 sec	175.32 sec



[3-4]

3.3.2 (Bay)

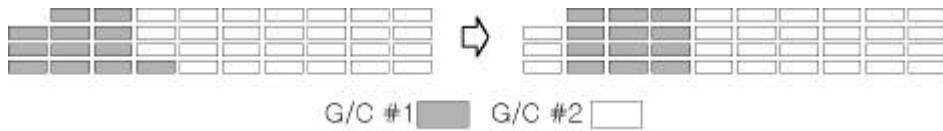
G/C

G/C

가

, [3-5]

T/C가



[3-5]

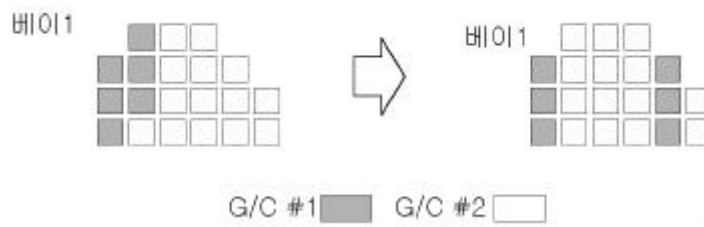
3.3.3 (Row)

T/C (Row)
(Spreader)

G/C

(Re-handling)

, [3-6]



[3-6]

3.3.4

T/C

(, ,

)가

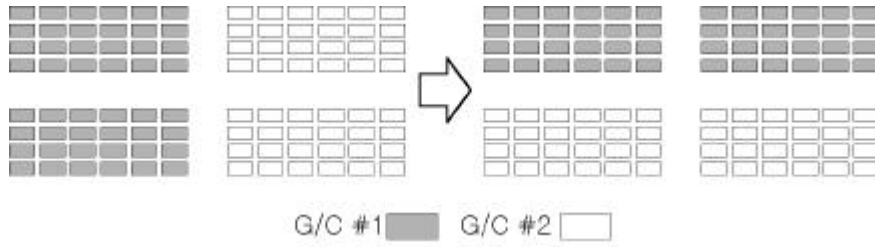
G/C

가

가 가

T/C

[3-7]



[3-7]

3.4

3.4.1

- T/C
- 가
- G/C T/C, Y/T 가
- Hatch
- ,
- 가
- ,
- ,
- T/C
- 가

- 가
-

3.4.2

m :

n : ()

l : (bay)

r : (row)

A :

G : (G/C)

W_B : 가

W_b : 가

W_r : 가

W_i : 가

W_d : 가

d_{ij} : i j , ($i, j = 1, 2, \dots, m$)

Sn_j : j , ($j = 1, 2, \dots, m$)

Sb_j : j , ($j = 1, 2, \dots, l$)

Sr_j : j , ($j = 1, 2, \dots, r$)

D_a : a 가 , ($a = 1, 2, \dots, A$)

G_a^k : G/C k a ($a = 1, 2, \dots, A$), ($k = 1, 2, \dots, G$)

$$x_i^k = \begin{cases} 1 & : \quad i \notin G/C \ k \\ 0 & : \text{otherwise} \end{cases} \quad (i = 1, 2, \dots, n)$$

$$B_j^k = \begin{cases} 1 & : \quad j \in G/C \ k \\ 0 & : \text{otherwise} \end{cases} \quad (j = 1, 2, \dots, m)$$

$$H_j^k = \begin{cases} 1 & : \text{bay } j \in G/C \ k \\ 0 & : \text{otherwise} \end{cases} \quad (j = 1, 2, \dots, l)$$

$$I_j^k = \begin{cases} 1 & : \text{row } j \in G/C \ k \\ 0 & : \text{otherwise} \end{cases} \quad (j = 1, 2, \dots, r)$$

$$E_{ii+1}^k = \begin{cases} 1 & : \quad i \quad i+1 \in G/C \ k \\ 0 & : \text{otherwise} \end{cases} \quad (i = 1, 2, 3, \dots, n-1)$$

($i \in S_{n_j}, i+1 \in S_{n_j}$)

$$F_{ij}^k = \begin{cases} 1 & : \quad i \quad j \in G/C \ k \\ 0 & : \text{otherwise} \end{cases} \quad (i, j = 1, 2, 3, \dots, m)$$

($i \neq j$)

G/C

G/C

$$\sum_k \sum_j^m B_j^k + \sum_k \sum_j^l H_j^k + \sum_k \sum_j^r I_j^k + \sum_k \sum_i^{n-1} E_{ii+1}^k + \sum_k \sum_i^m \sum_j^m d_{ij} \cdot F_{ij}^k$$

가

$$\begin{aligned}
 & W_B \cdot \sum_k^G \sum_j^m B_j^k + W_b \cdot \sum_k^G \sum_j^l H_j^k + W_r \cdot \sum_k^G \sum_j^r I_j^k \\
 & + W_t \cdot \sum_k^G \sum_i^{n-1} E_{ii+1}^k + W_d \cdot \sum_k^G \sum_i^m \sum_j^m d_{ij} \cdot F_{ij}^k
 \end{aligned} \tag{1}$$

G/C

$$x_i^k - B_j^k \leq 0 \tag{2}$$

G/C

, 가

$$x_i^k - H_j^k \leq 0, \quad x_i^k - I_j^k \leq 0 \tag{3), (4)}$$

G/C

가 G/C

G/C , 가

G/C

$$x_i^k - x_{i+1}^k \leq E_{ii+1}^k, \quad B_i^k + B_j^k - 1 \leq F_{ij}^k \tag{5), (6)}$$

$$\begin{aligned}
 \text{Minimize} \quad & W_B \cdot \sum_k^G \sum_j^m B_j^k + W_b \cdot \sum_k^G \sum_j^l H_j^k + W_r \cdot \sum_k^G \sum_j^r I_j^k \\
 & + W_t \cdot \sum_k^G \sum_i^{n-1} E_{ii+1}^k + W_d \cdot \sum_k^G \sum_i^m \sum_j^m d_{ij} \cdot F_{ij}^k
 \end{aligned} \tag{1}$$

Subject To

$$x_i^k - B_j^k \leq 0, \quad \forall ij (i \in Sn_j), \quad \forall k \quad (2)$$

$$x_i^k - H_j^k \leq 0, \quad \forall ij (i \in Sb_j), \quad \forall k \quad (3)$$

$$x_i^k - I_j^k \leq 0, \quad \forall ij (i \in Sr_j), \quad \forall k \quad (4)$$

$$x_i^k - x_{i+1}^k \leq E_{ii+1}^k, \quad i = 1, 2, \dots, n-1, \quad \forall k, (i \in Sn_j, i+1 \in Sn_j) \quad (5)$$

$$B_i^k + B_j^k - 1 \leq F_{ij}^k, \quad \forall k, \quad \forall ij (i \neq j) \quad (6)$$

$$\sum_k^G x_i^k = 1, \quad \forall i, (k = 1, 2, \dots, G) \quad (7)$$

$$\sum_{i \in D_a}^n x_i^k = G_a^k, \quad \forall a, \quad \forall k \quad (8)$$

$$x_i^k \in \{0, 1\}, \quad \forall i, \quad \forall k \quad (9)$$

$$B_j^k, H_j^k, I_j^k \in \{0, 1\}, \quad \forall j, \quad \forall k \quad (10)$$

$$E_{ii+1}^k \in \{0, 1\}, \quad \forall i (i \in Sn_j, i+1 \in Sn_j, \forall j) \quad (11)$$

$$F_{ij}^k \in \{0, 1\}, \quad \forall k, \quad \forall (i, j), i \neq j \quad (12)$$

(7) 가 G/C
 , (8) G/C . (9),
 (10), (11), (12) . (Integer Programm
 -ing , IP)

3.4.3

가

가 가 가 .

$k :$ ($k = 1, 2, \dots, m$)

$TS :$

$QB_j : j$ (block)

$Qb_j : j$ (bay)

$Qr_j : j$ (row)

$S_B :$

$S_b :$

$S_r :$

$G_k :$ k

$U_i :$

Phase 1. Set Sequence

Step 1 : $k!$ G/C U_i , G/C k .
 $i = 1$, $k = 1$.

Step 2 : if $i > k!$ then $Min \{ U_i^* \}$ O^* .
 else Phase 2 .

Phase 2. Block Allocation

Step 1 : U_i G/C k S_B G_k j .

Step 2 : if $j = \emptyset$ then Phase 3 .
 else $Max \{Q_{Bj}\} \quad k$.

Step 3 : if $G_k = \emptyset$ then $k = k + 1$, Phase 1 .
 else Step 1 .

Phase 3. Bay Allocation

Step 1 : G_k , \rightarrow \rightarrow 가 가 j
 R

Step 2 : $S_b \in R$ and $Q_{bj} \in G_k$ j .

Step 3 : if $j = \emptyset$ then Phase 4 .
 else $Max \{Q_{bj}\} \quad k$.

Step 4 : if $G_k = \emptyset$ then $k = k + 1$, Phase 2 .
 else Step 1 .

Phase 4. Row Allocation

Step 1 : G_k , , , 가 가 j
 R .

Step 2 : $S_r \in R$ and $Q_{rj} \in G_k$ j .

Step 3 : if $j = \emptyset$ then $c \in R$ c k .
 else $Max \{Q_{rj}\} \quad k$. Step 3

Step 4 : if $k = m$ then

U_i U_i^* .
 $i = i + 1$, $k = 1$, Phase 1 Step2
 else $k = k + 1$, Phase 2

G/C , ,
 G/C 가

. , 가 G/C 가
 G/C G/C 가 2 Set1(G/C #1 G/C #2), Set2(G/C
 #2 G/C #1)가 , G/C 가 4
 4!
 , ()
 가

4

4.1

G/C

가 G/C 2

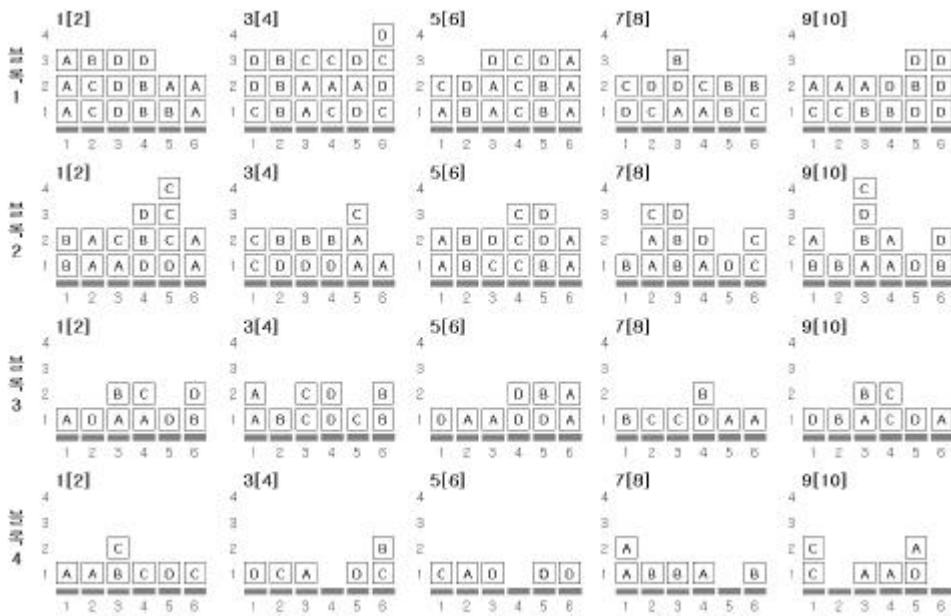
3, 4

G/C

[4-1]

Layout

6 4



[4-1]

[4-1] G/C 2, 3, 4, G/C
 가 G/C , .

[4-1] G/C :

	2		3			4				
	G/C #1	G/C #2	G/C #1	G/C #2	G/C #3	G/C #1	G/C #2	G/C #3	G/C #4	
A	33	30	27	20	16	20	17	14	12	63
B	20	28	11	13	24	5	13	12	18	48
C	30	20	20	19	11	15	12	8	15	50
D	26	30	14	20	22	13	15	12	16	56
	109	108	72	72	73	53	57	46	61	
	217		217			217				

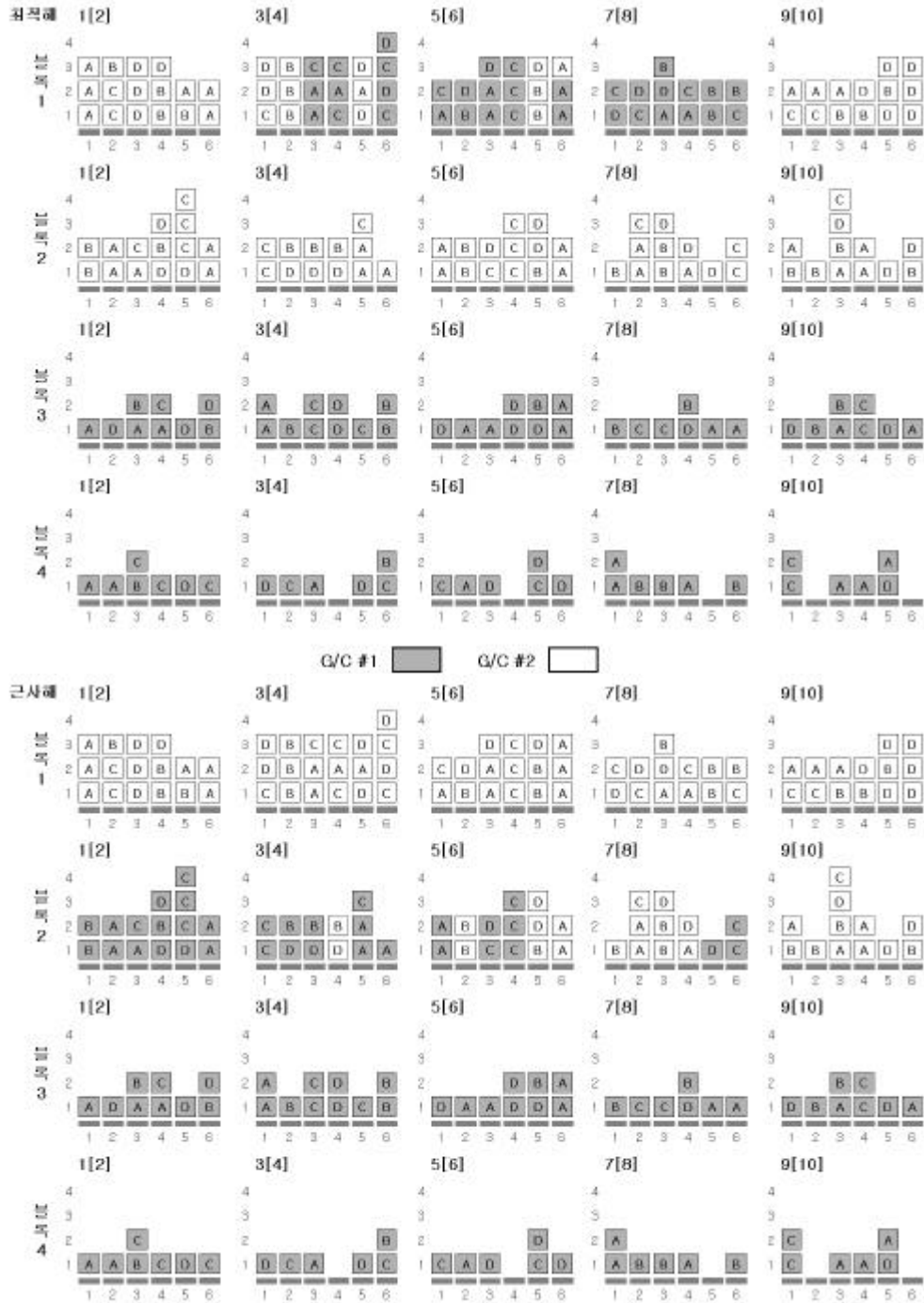
가 W_B W_b W_r
 W_t W_d 가 가 가 .

[4-2] 가

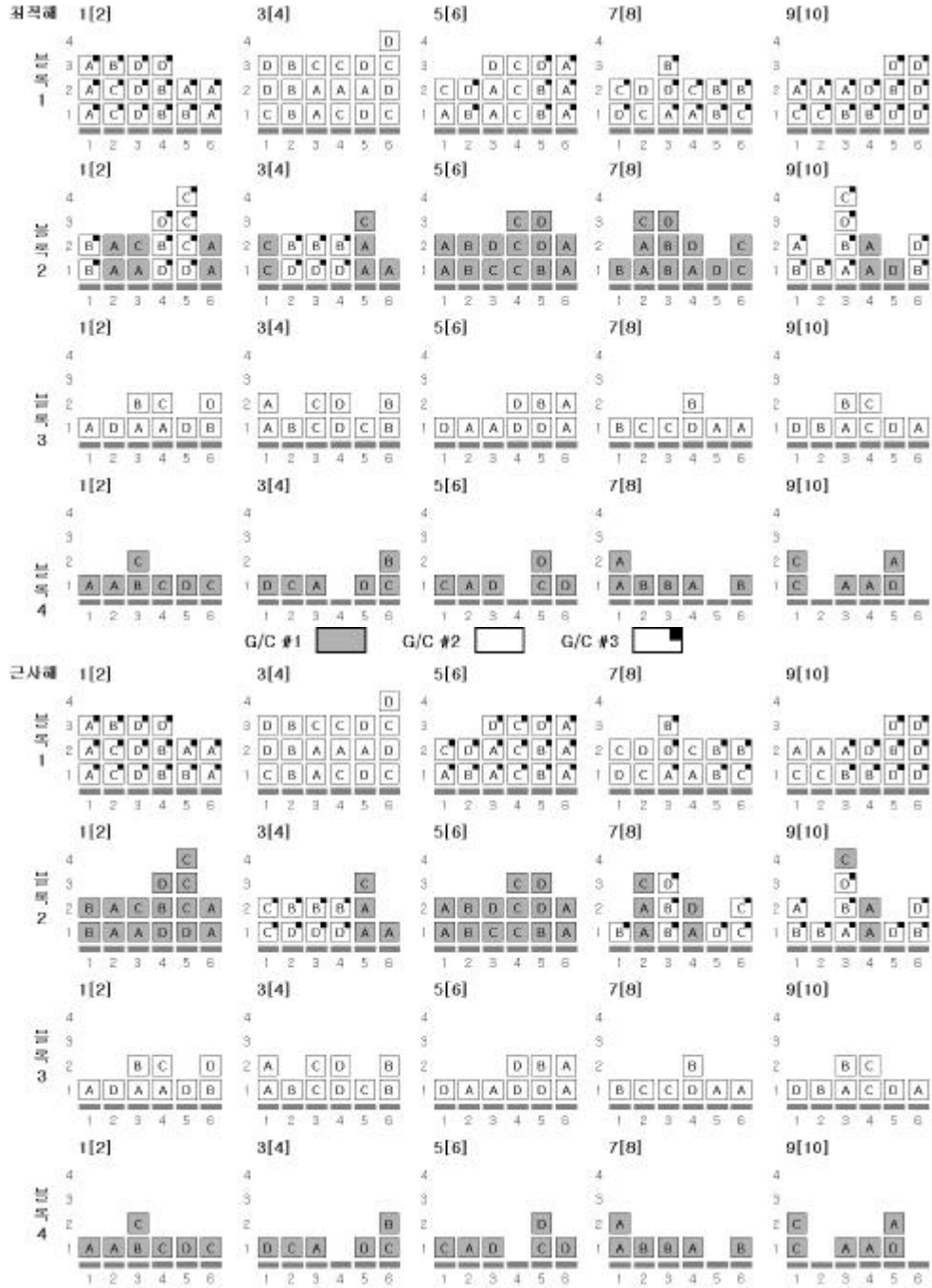
	가
W_B	100000
W_b	50000
W_r	5000
W_t	500
W_d	1

	1	2	3	4
1	×	1	2	3
2	1	×	1	2
3	2	1	×	1
4	3	2	1	×

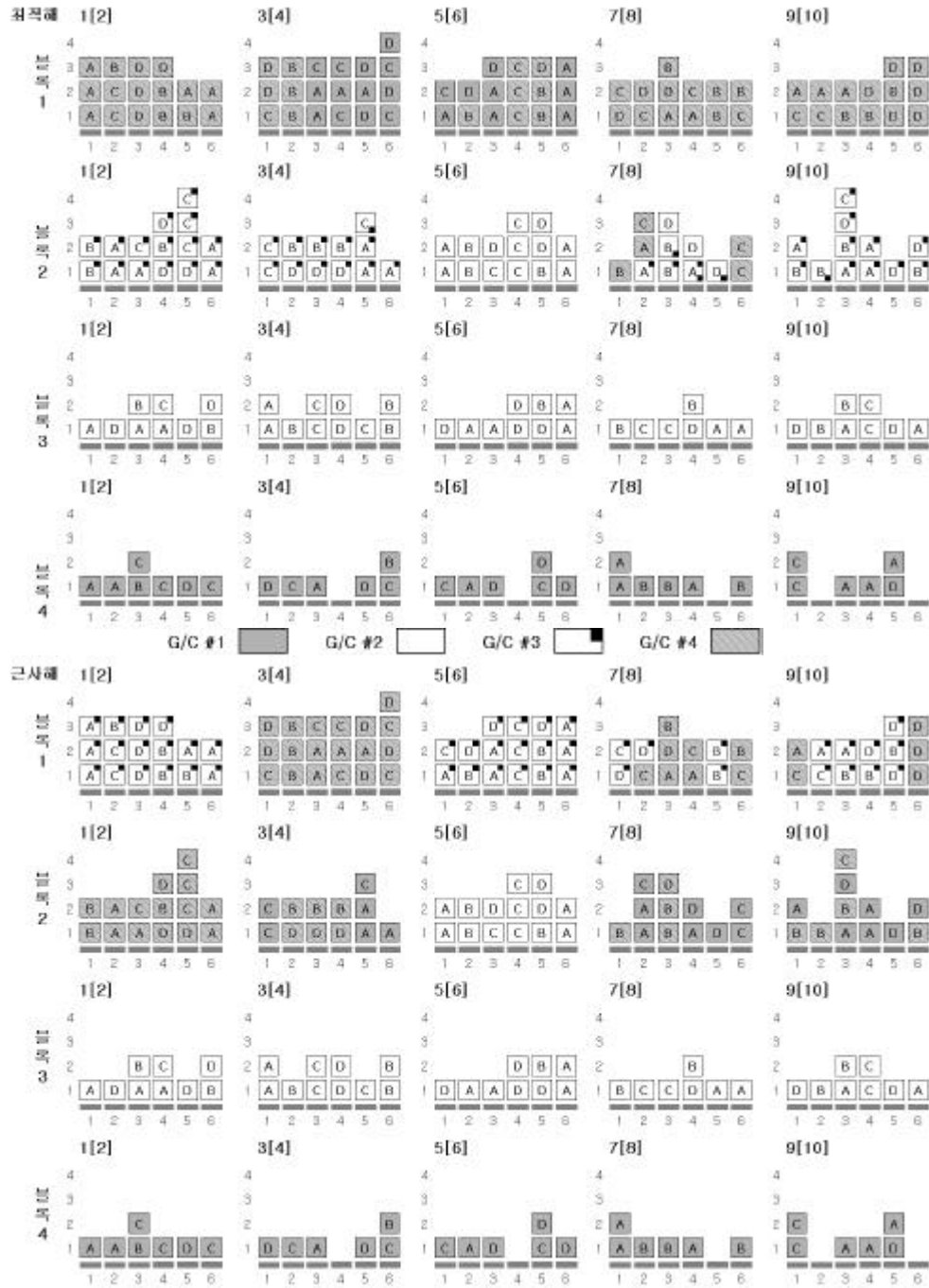
(LINDO)



[4-2] 2



[4-3] 3



[4-4] 4

, 가
 . , G/C
 . , G/C #1
 1, 3, 4 , G/C #2 1, 2 . 1
 G/C G/C 가
 . , 1 G/C , G/C #1
 3[4], 5[6], 7[8] , G/C #2 1[2], 3[4], 5[6], 9[10] .
 , 3[4], 5[6] G/C #1
 3[4] 3, 4, 6 5[6] 1, 2, 3, 4, 6 , G/C #2
 5[6] 6 .
 , ,
 . 3 4 가
 . 3 2, 4
 ,
 .
 , , 가
 , 가 가 .
 ,
 . 2 3[4] G/C #2가
 5 (.
 3) .
 가 가 .
 가 가 .
 , 2
 G/C 3 .
 가
 . 가

가 가 가
가

[4-3] 가

		B	H	I	E	D	
Case 1		5	10	32	2	14	5661014
		6	9	32	2	24	6611024
Case 2		6	10	32	2	24	6661024
		6	10	32	2	24	6661024
Case 3		6	10	32	2	24	6661024
		6	10	32	2	24	6661024
Case 4		5	10	33	2	14	5666014
		5	10	33	2	14	5666014
Case 5		5	10	32	2	16	5661016
		5	10	32	3	16	5661516
Case 6		5	9	33	1	18	5615518
		5	9	33	1	18	5615518
Case 7		6	10	32	3	24	6661524
		6	10	32	3	24	6661524
Case 8		5	9	33	1	14	5615514
		5	9	33	1	14	5615514
Case 9		5	10	32	3	14	5661514
		5	10	33	3	16	5666516
Case 10		5	9	32	1	16	5610516
		5	9	32	1	16	5610516

- B : G/C
- H : G/C
- I : G/C
- E : G/C
- D : G/C

가

가

가

가

[4-4]

[4-4] 가

		B	H	I	E	D	
Case 1		5	9	33	1	14	5615514
		5	9	33	3	16	5616516
Case 2		5	9	33	2	14	5616014
		5	9	34	6	16	5623016
Case 3		5	9	32	1	16	5610516
		5	9	32	2	16	5611016
Case 4		5	8	32	1	16	5560516
		5	8	32	1	16	5560516
Case 5		5	9	32	3	14	5611514
		5	9	33	3	14	5611514
Case 6		5	9	32	3	18	5611518
		5	9	32	3	18	5611518
Case 7		5	8	32	1	18	5560518
		5	8	32	1	18	5560518
Case 8		5	9	32	2	14	5611014
		5	9	32	2	14	5611014
Case 9		5	9	33	1	16	5615516
		5	9	32	2	16	5615516
Case 10		5	9	32	2	18	5611018
		5	9	32	2	18	5611018

• B : G/C
• I : G/C
• D : G/C

• H : G/C
• E : G/C

[4-5]

[4-5]

가

		B	H	I	E	D	
Case 1		5	9	32	1	16	5610516
		5	9	32	1	16	5610516
Case 2		5	9	32	2	18	5611018
		5	9	32	2	18	5611018
Case 3		5	9	33	2	16	5616016
		5	9	33	2	16	5616016
Case 4		5	9	32	1	16	5610516
		5	9	32	2	16	5611016
Case 5		5	9	32	1	18	5610518
		5	9	32	2	14	5611014
Case 6		5	9	33	2	14	5616014
		5	10	33	3	14	5666514
Case 7		5	9	32	1	14	5610514
		5	9	33	2	16	5616016
Case 8		5	9	32	1	18	5610518
		5	9	33	2	16	5616016
Case 9		5	9	33	2	18	5616018
		6	9	33	3	34	6616534
Case 10		5	9	32	2	14	5611014
		5	9	32	3	14	5611514

- B : G/C
- I : G/C
- D : G/C

- H : G/C
- E : G/C

4.2

가

1998 Kawasaki Container Terminal

가

6 4

7 4

가 가

가

G/C

(A, B, ... ,W)

[4-5]

T/C

[4-6]

[4-6] G/C

	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	U	V	W	
G/C #1	0	0	5	0	0	6	0	0	0	10	0	0	75	7	2	2	5	0	38	20	30	1	1	202
G/C #2	79	55	28	26	12	0	1	1	1	0	2	2	0	0	0	0	0	1	16	24	7	0	0	255
	79	55	33	26	12	6	1	1	1	10	2	2	75	7	2	2	5	1	54	44	37	1	1	457

[4-7]

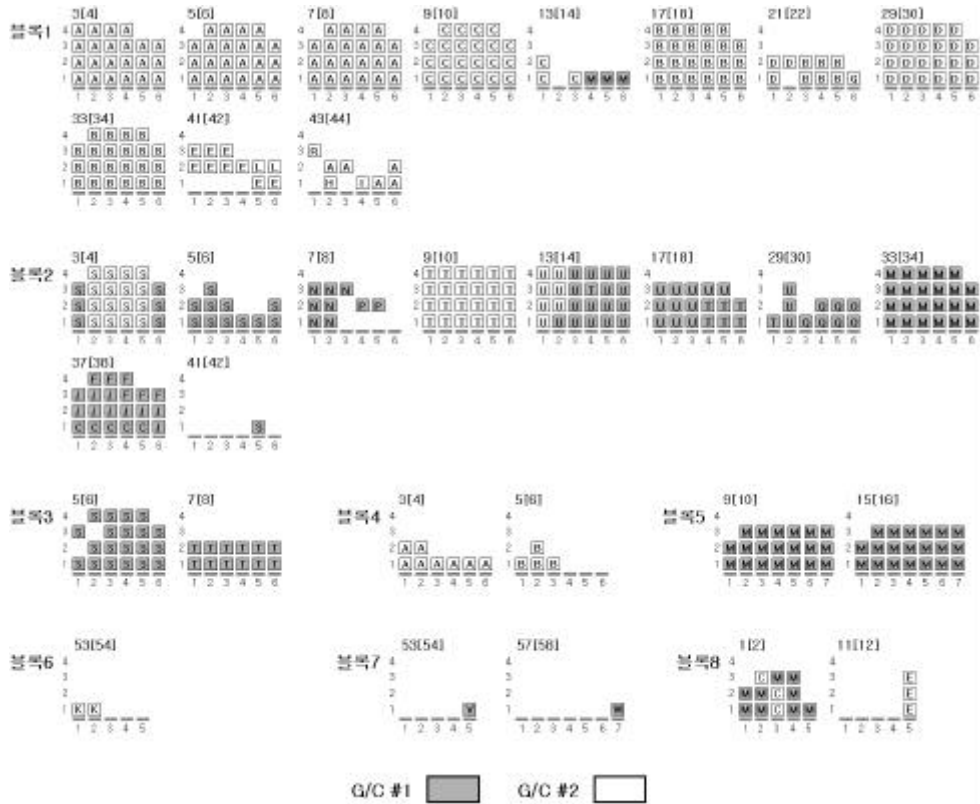
()

	1	2	3	4	5	6	7	8
1	x	1	2	3	4	5	6	7
2	1	x	1	2	3	4	5	6
3	2	1	x	1	2	3	4	5
4	3	2	1	x	1	2	3	4
5	4	3	2	1	x	1	2	3
6	5	4	3	2	1	x	1	2
7	6	5	4	3	2	1	x	1
8	7	6	5	4	3	2	1	x

가

. 가

[4-5]



[4-5] G/C

가

(2- 3[4]).

가 , , 가

5

,
,
,
가
가

가

가,

Hatch

가

Hatch

가 , 가
(setup time)
가 가

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